

Looking at the Bigger Picture: Synergistic Observations to Better Understand Planets around Other Stars

Eric Gaidos

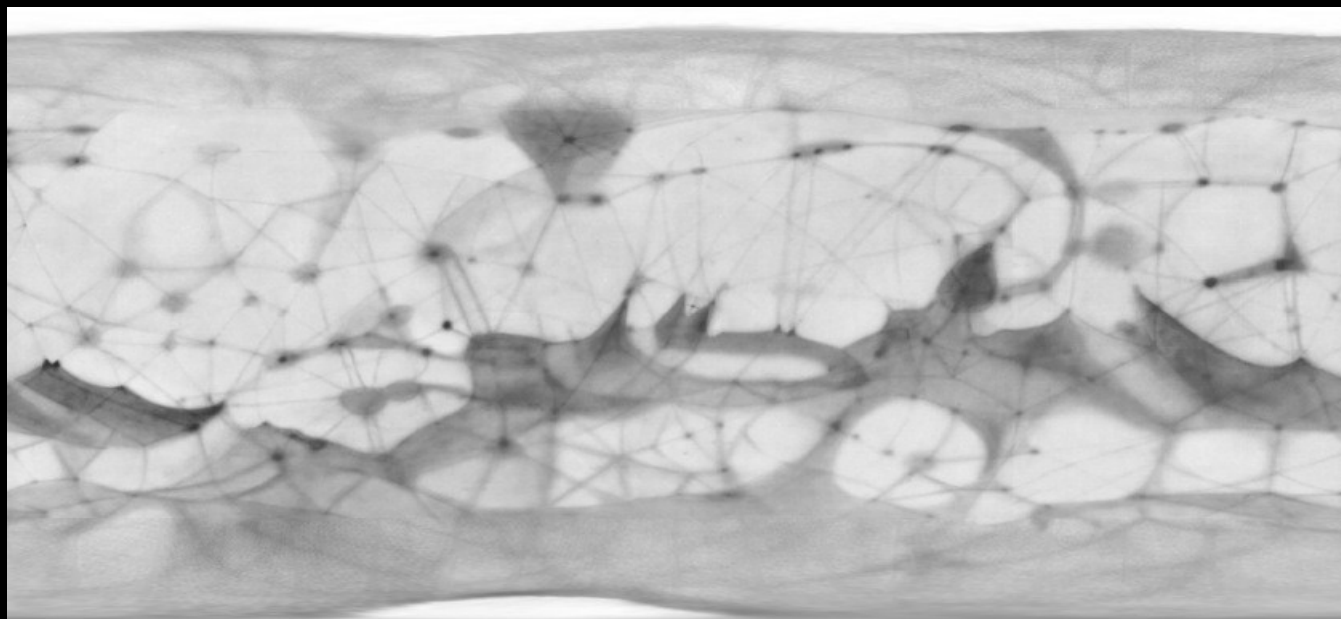
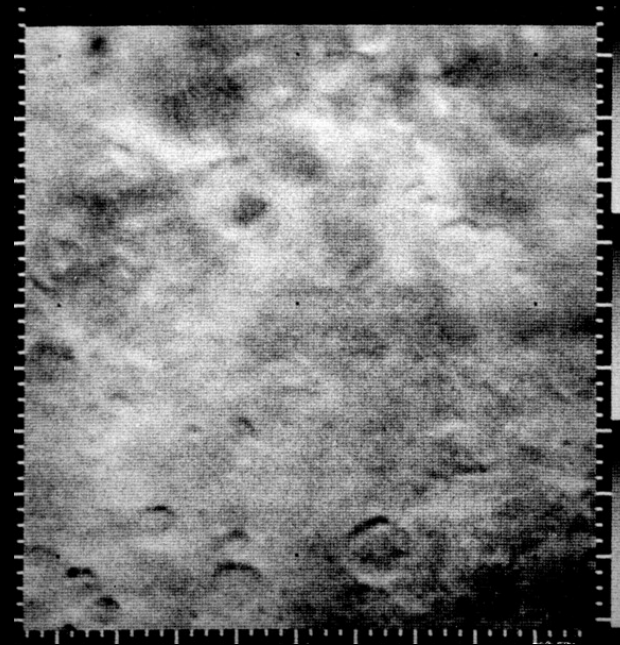


“...to find the truth we need imagination and skepticism both. We will not be afraid to speculate, but we will be careful to distinguish speculation from fact.”



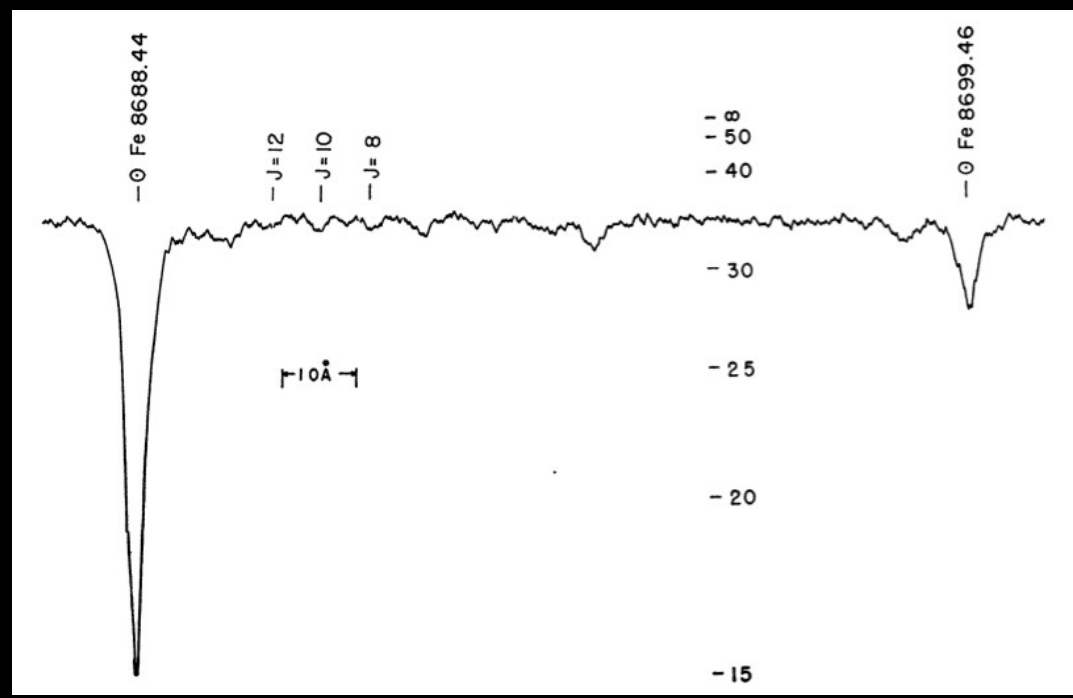
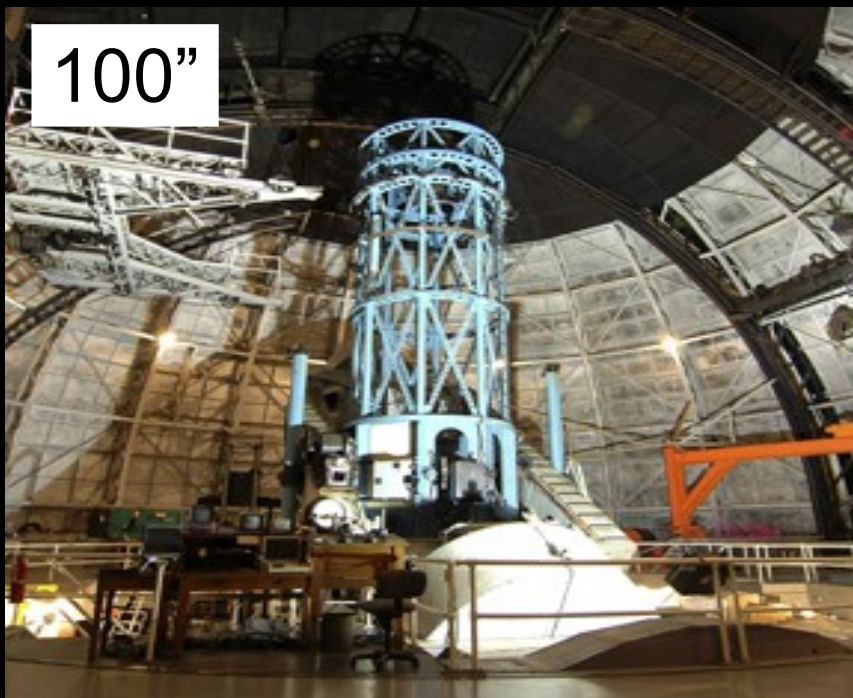
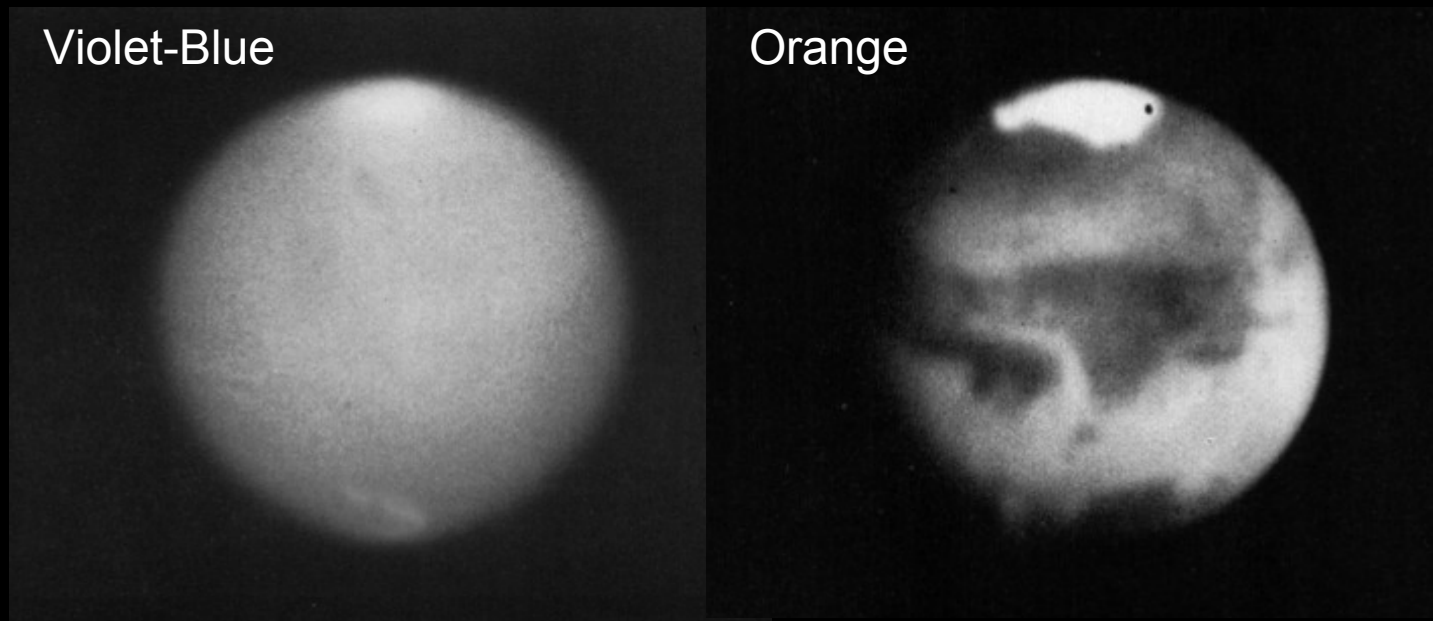
Kepler-452b

Mariner 4 Mars Encounter: July 14, 1965

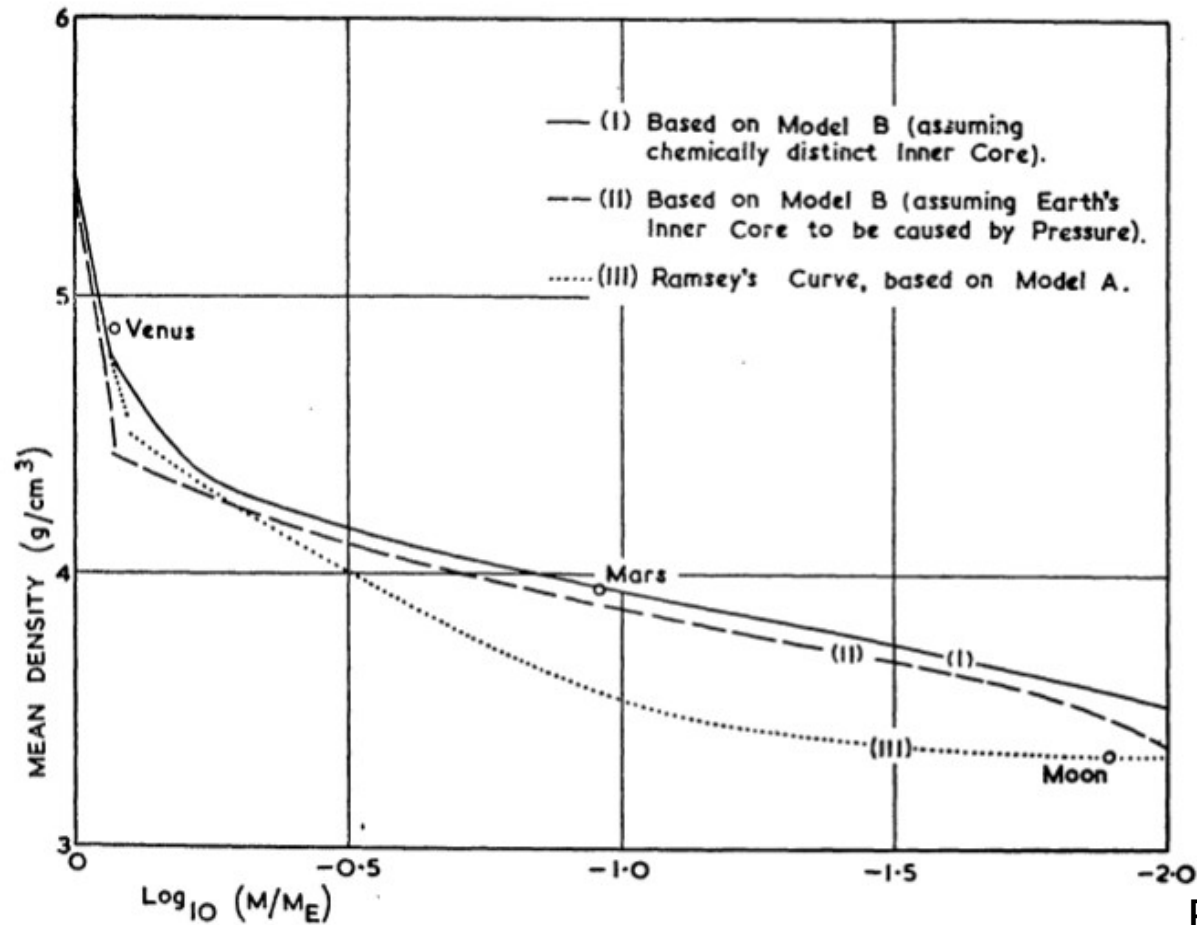


1962 US Air Force
map of Mars

Mars from Mount Wilson

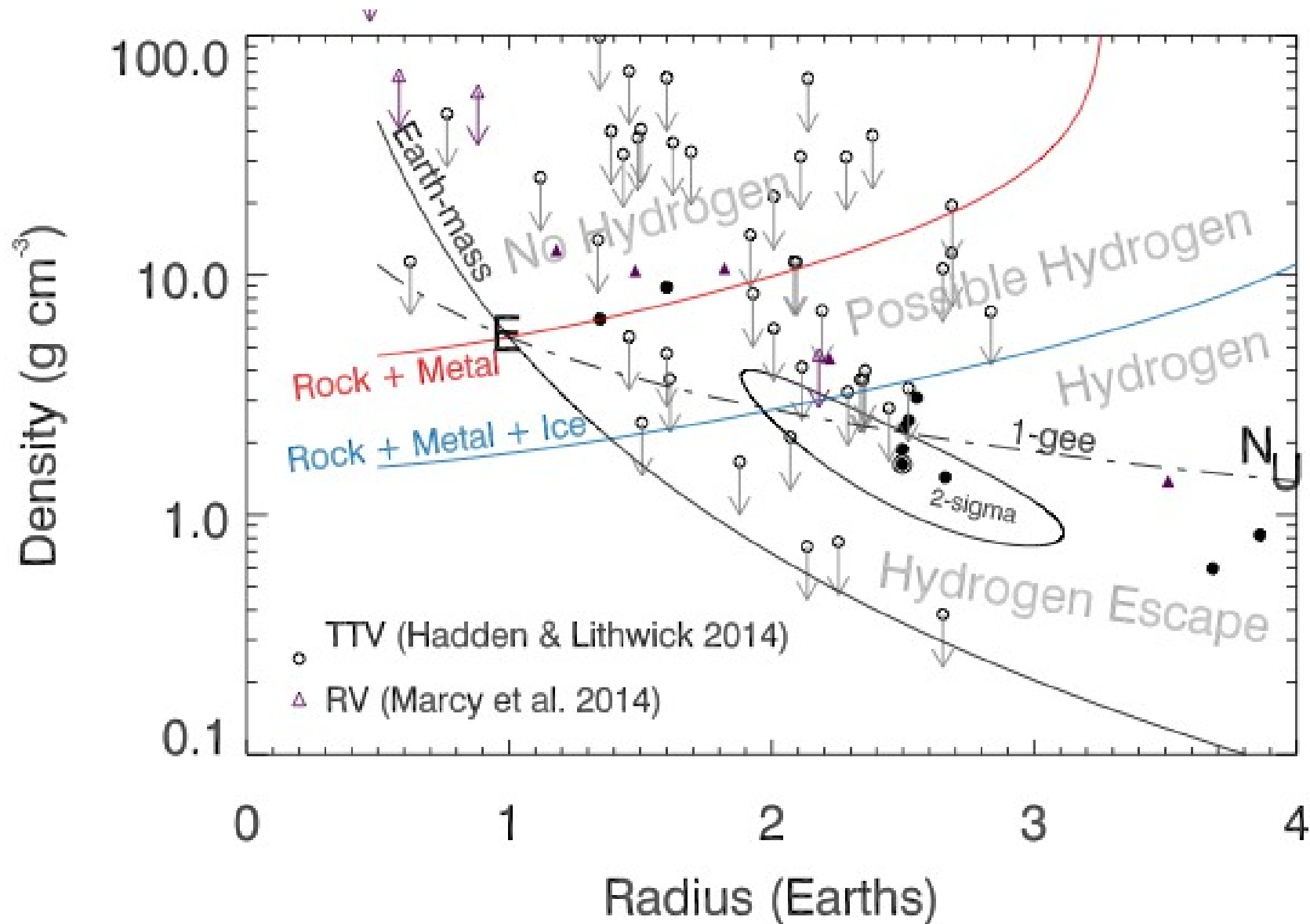


Properties of Mars			
	1956 value	Modern value	Error
Mass	6.44×10^{23} kg	6.42×10^{23} kg	+0.3%
Radius	3330 km	3390 km	-1.8%
Mean density	4.16 g cm^{-3}	3.93 g cm^{-3}	+5.9%



Bullen & Low (1952)

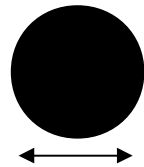
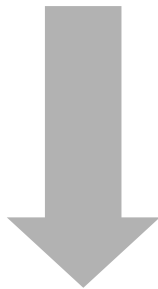
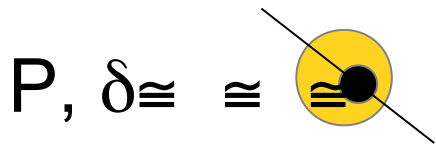
Densities of “Small” *Kepler* K/M Dwarf Planets



Inferring Planet Properties from a Transit Survey

$$p = \left(\frac{\tau}{P}\right)^{2/3} \frac{1 + e \sin(w)}{1 - e^2}$$

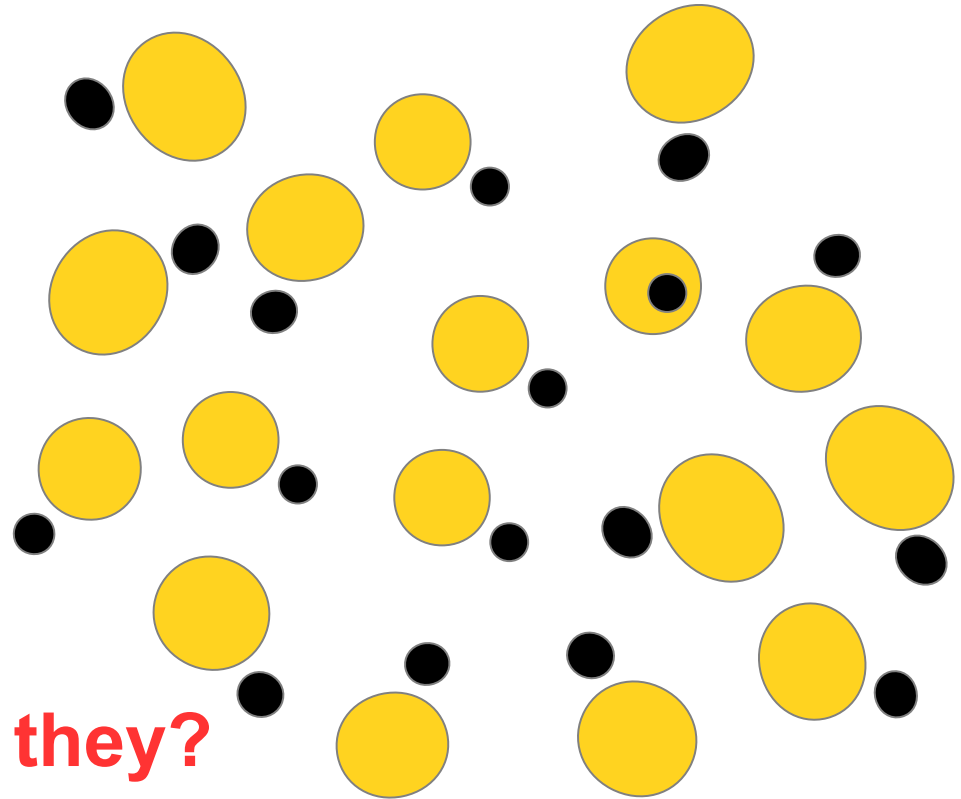
$$\tau = 2\sqrt{\hat{R}_*^3 / (\pi G \hat{M}_*)}$$



How large are they?

$$R_p = \delta^{1/2} R_s$$

How many are there?

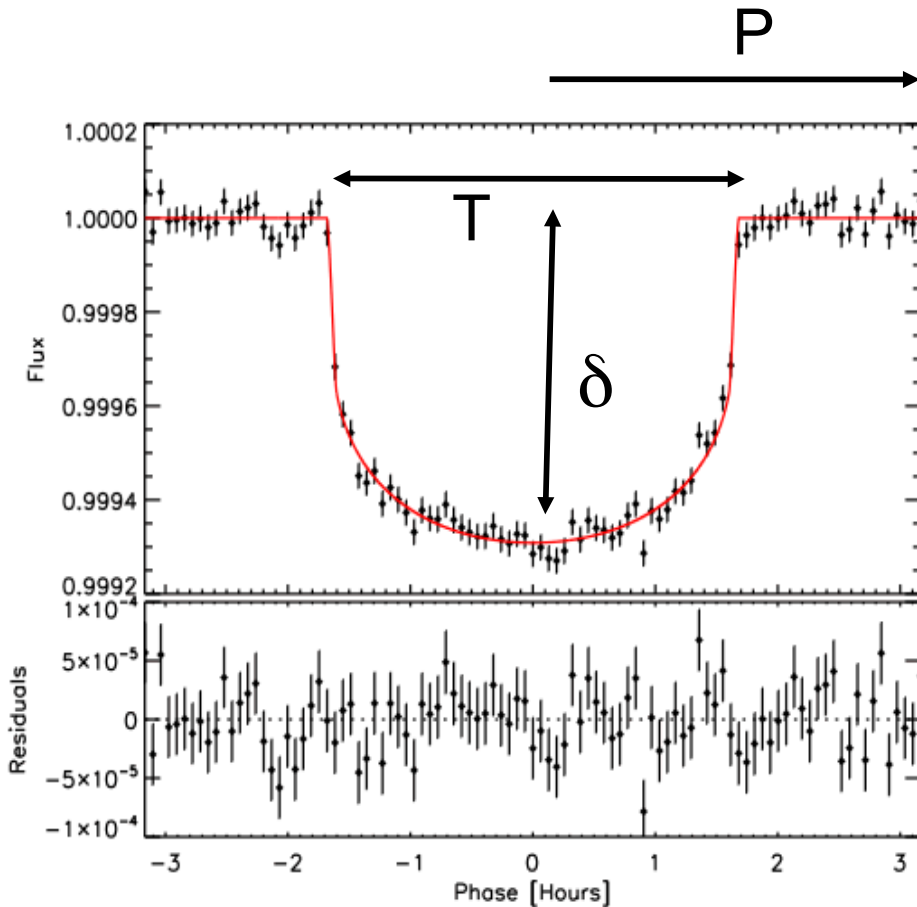


$$S = L_s P^{-4/3} M_s^{-2/3}$$

How hot are they?

Stellar radii, densities/masses, and luminosities are needed.

Stellar Densities from Transit Observations



want to know this

$$T = \tau^{2/3} P^{1/3} \Delta$$

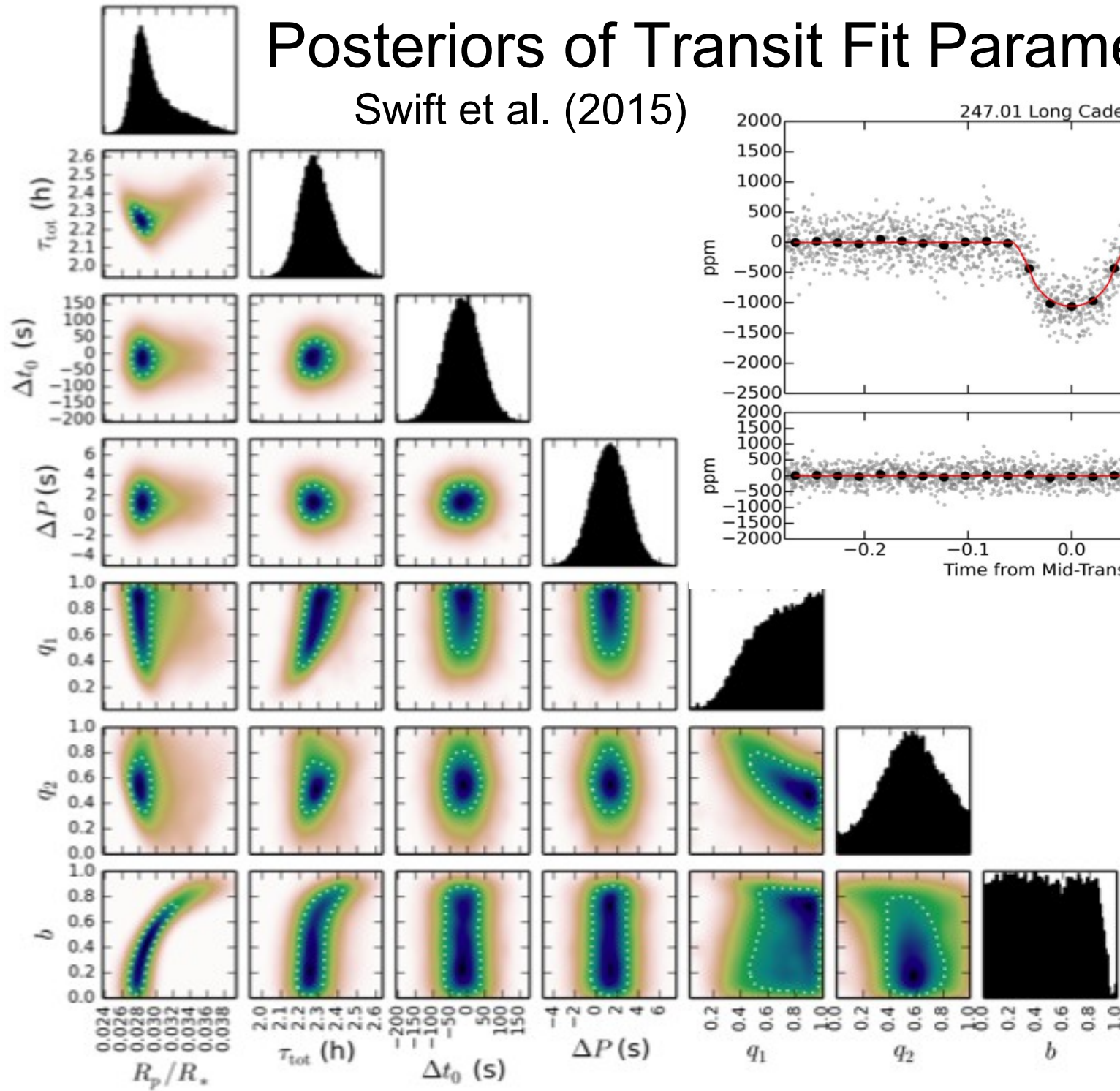
observed precisely known don't know

$$\Delta = \frac{\sqrt{(1 - e^2)(1 - b^2)}}{1 + e \cos \omega}$$

Another unknown is limb darkening of the star

Posteriors of Transit Fit Parameters

Swift et al. (2015)



A Probabilistic Description of Host Star Properties

Given a transit observation, what is the probability that a star has a given density

$$P(\rho) = P(\rho|D)$$

Given a transit duration, what is the probability that a star has a given density?

$$P(\rho) = \int_{\cong} P(\rho|T) Q(T|D) dT$$

orbital geometry

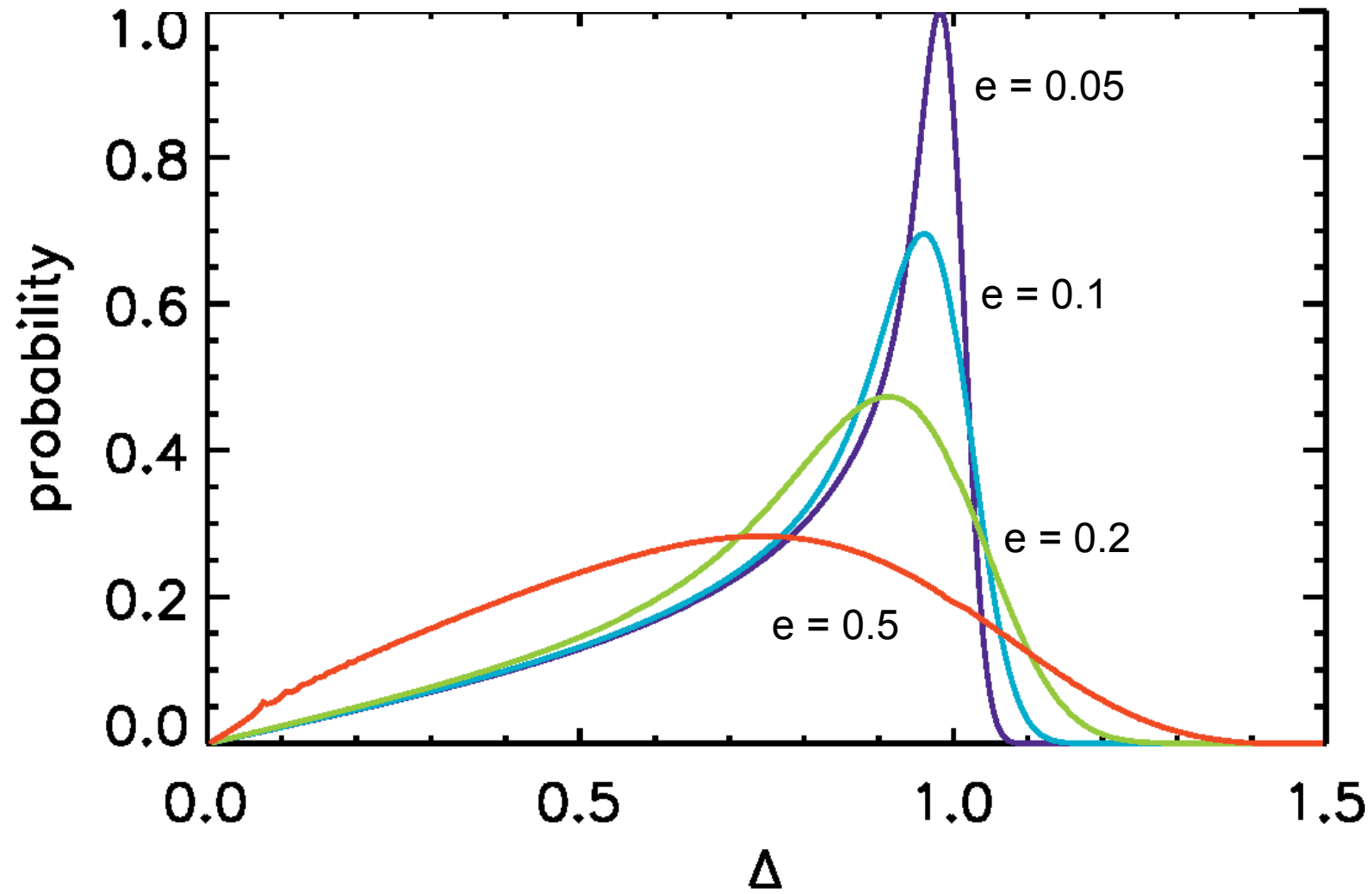
light-curve fitting

$$T = \tau^{2/3} P^{1/3} \Delta$$

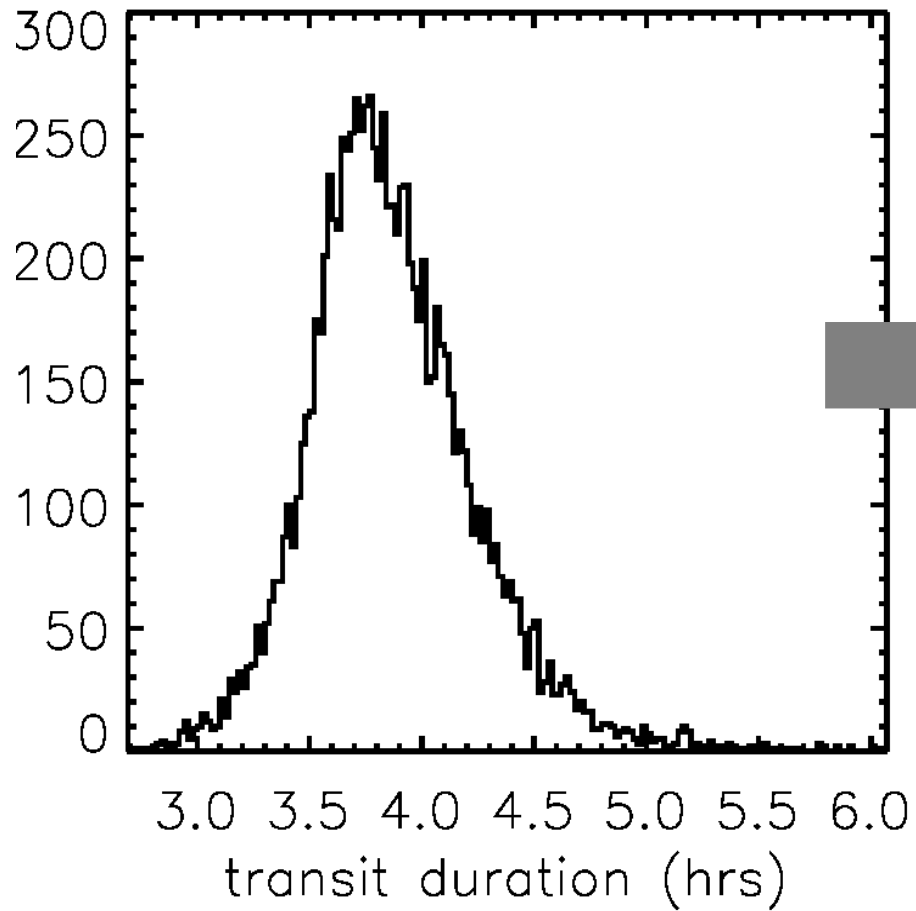
$$\tau = 2\sqrt{\hat{R}_*^3 / (\pi G \hat{M}_*)}$$

$$\overline{N(\Delta)} = \int_0^1 \eta(e) de \int_0^{2\pi} \sqrt{1 - \frac{\Delta^2 (1 + e \cos \omega)^2}{(1 - e^2)}} d\omega$$

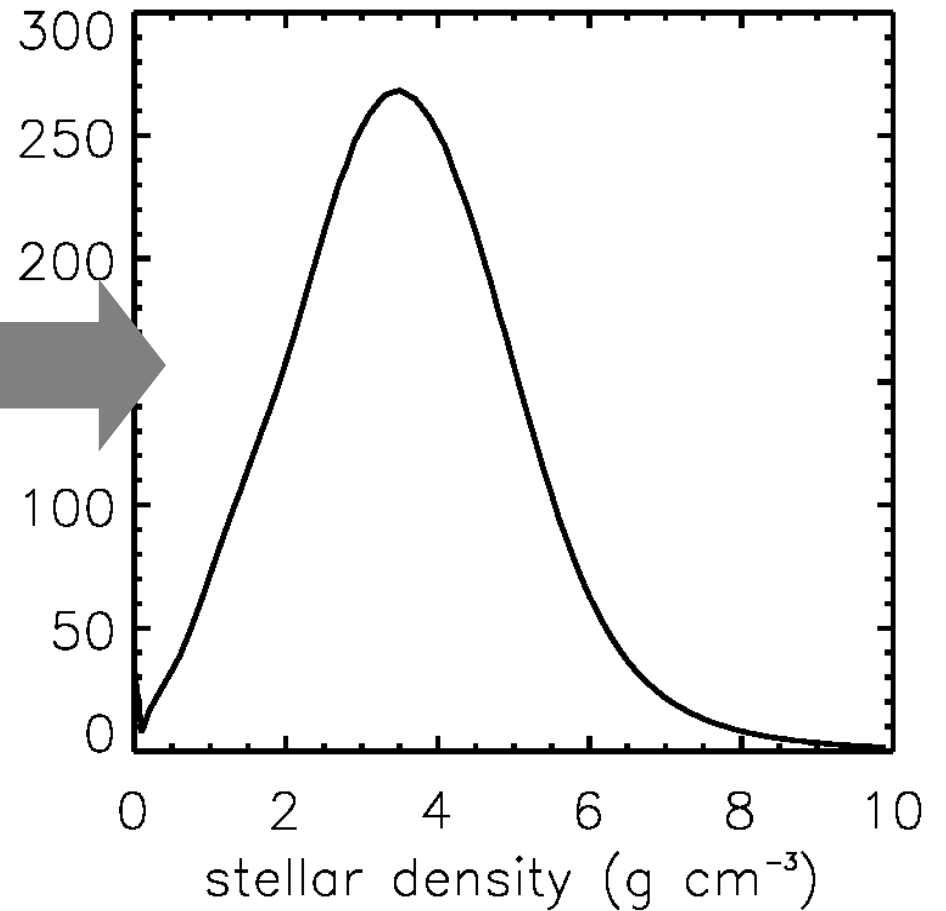
$$\overline{N(\Delta)} = \int_0^1 \eta(e) de \int_0^{2\pi} \sqrt{1 - \frac{\Delta^2 (1 + e \cos \omega)^2}{(1 - e^2)}} d\omega$$



Transit Fits



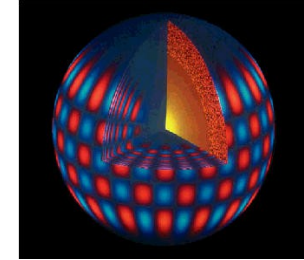
Geometry Kepler's Laws



Direct methods of estimating stellar parameters

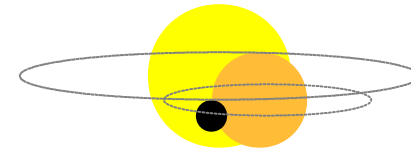
Astroseismology
(density, age)

expensive, few



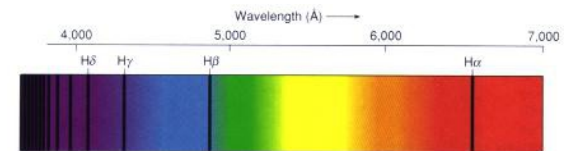
Dynamics
(density, mass)

expensive, few



Spectroscopy
(temperature, metallicity, gravity)

expensive, many

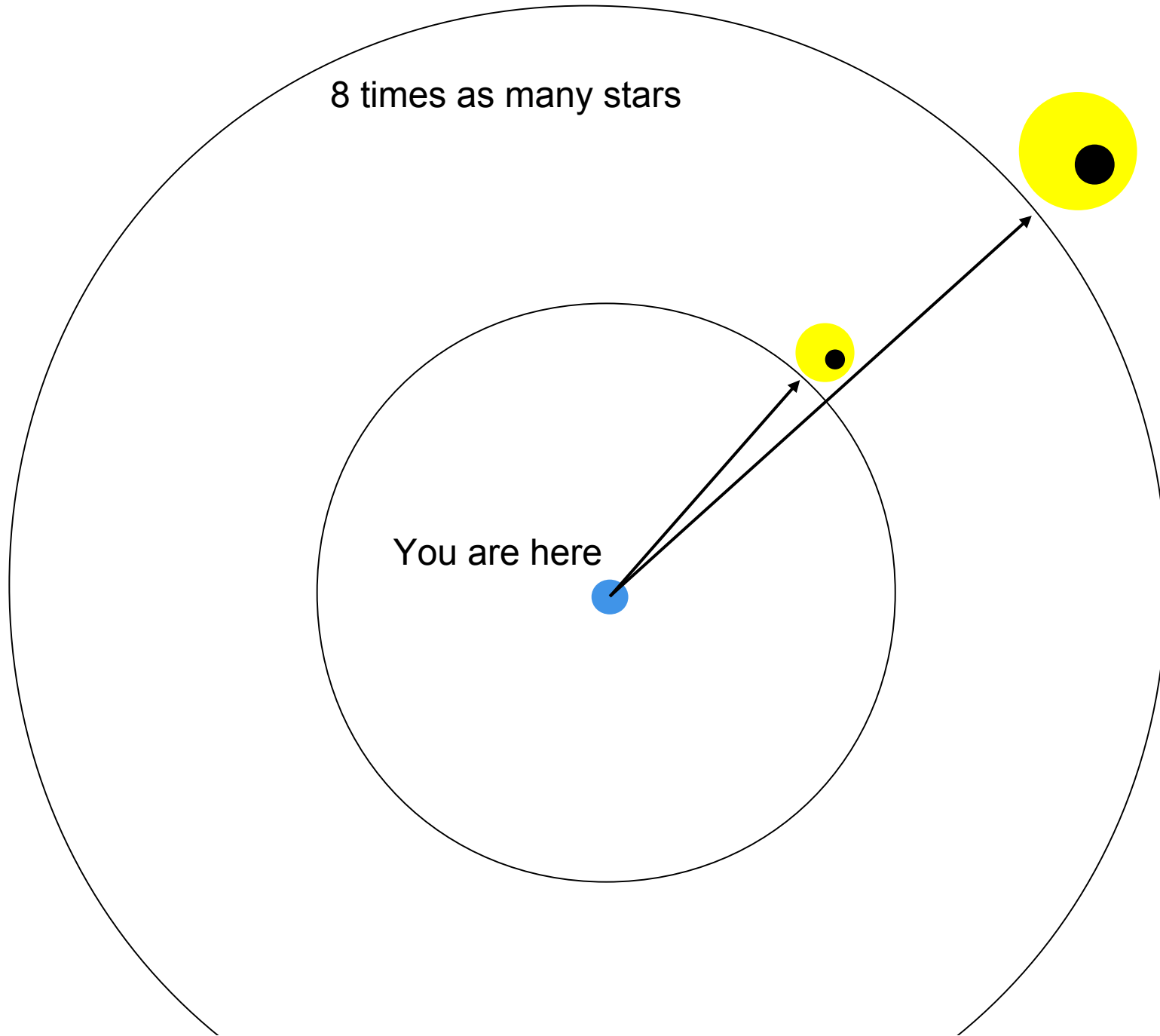


Broad-band photometry
(temperature)

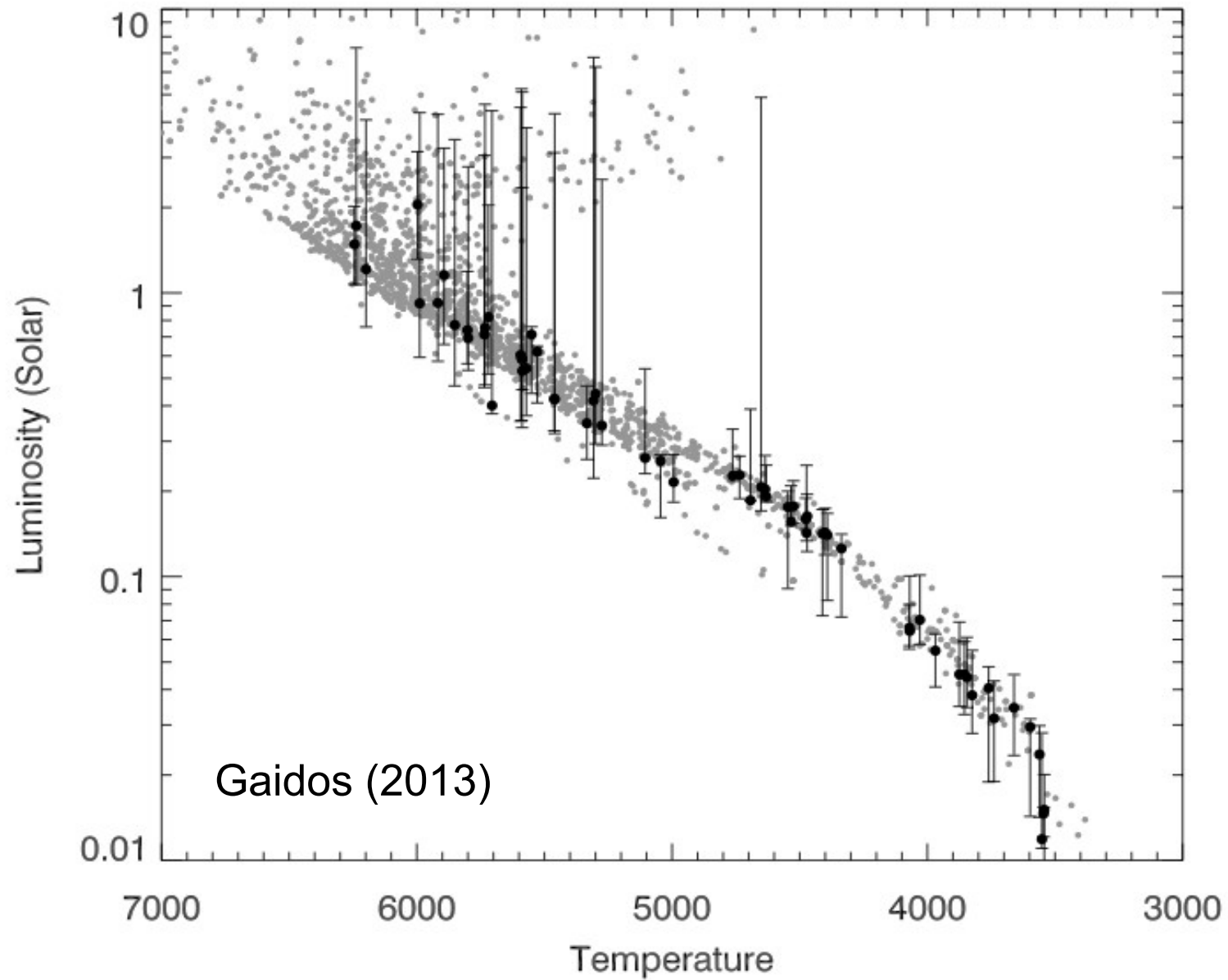
cheap, all



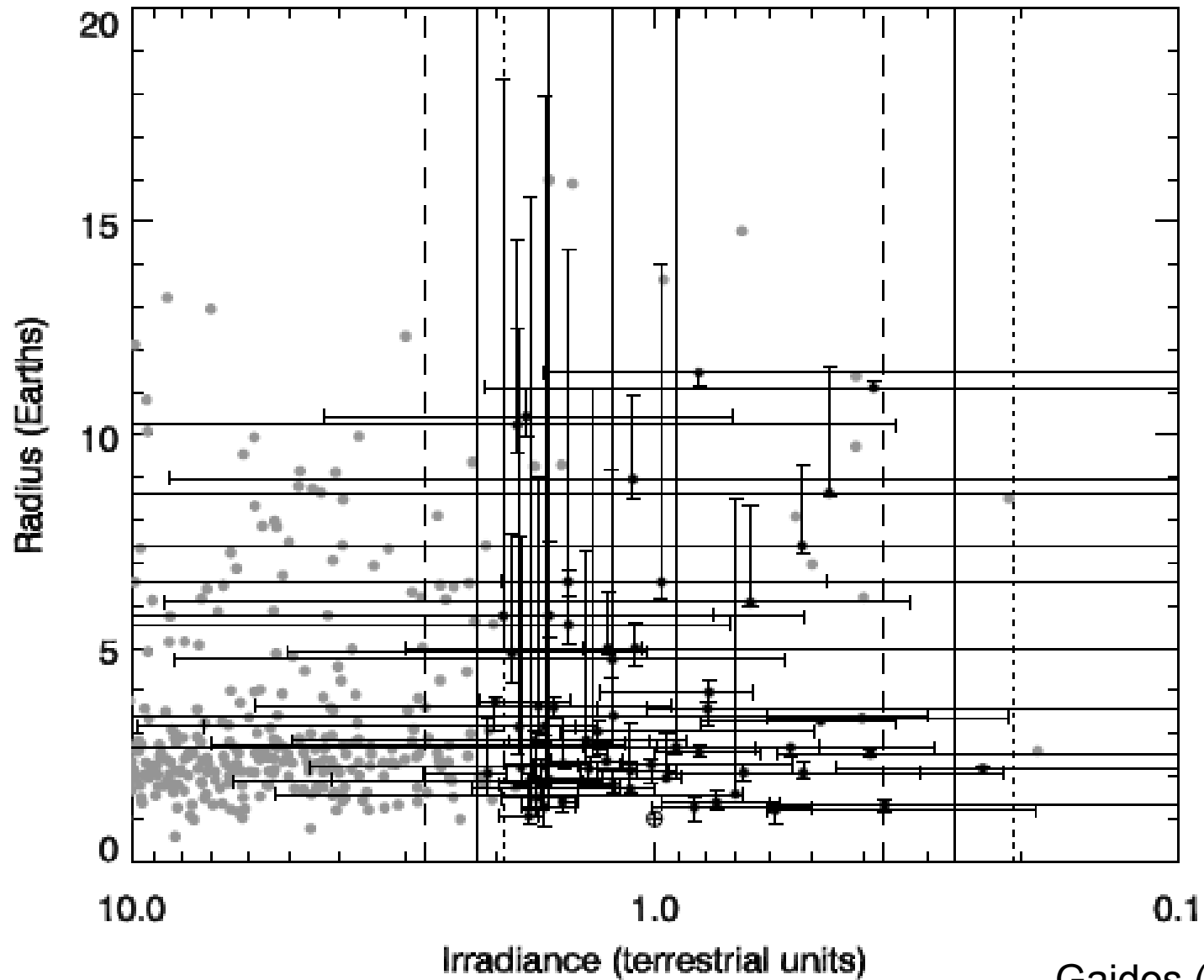
Malmquist bias



Uncertainties can be Very Asymmetric

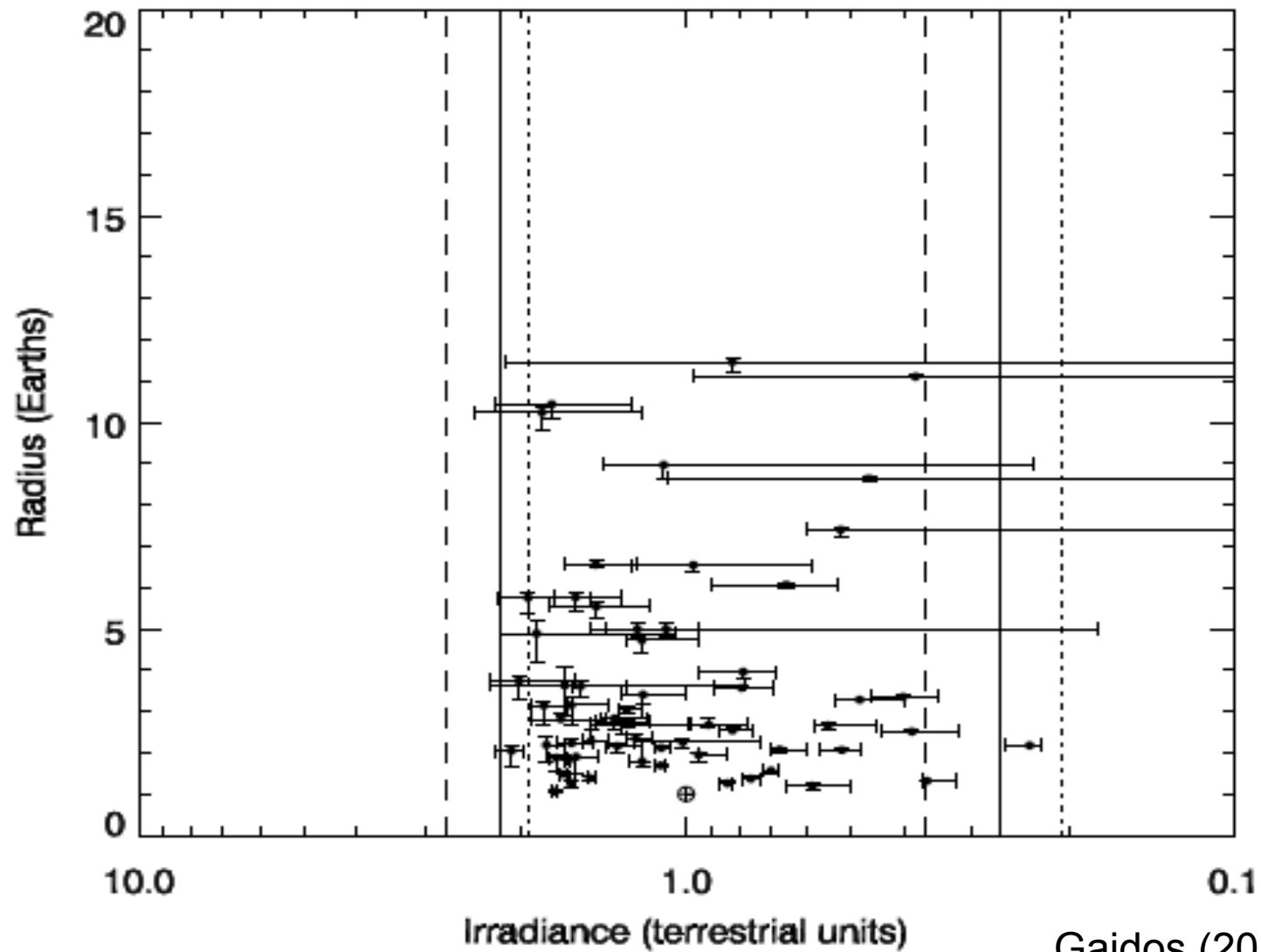


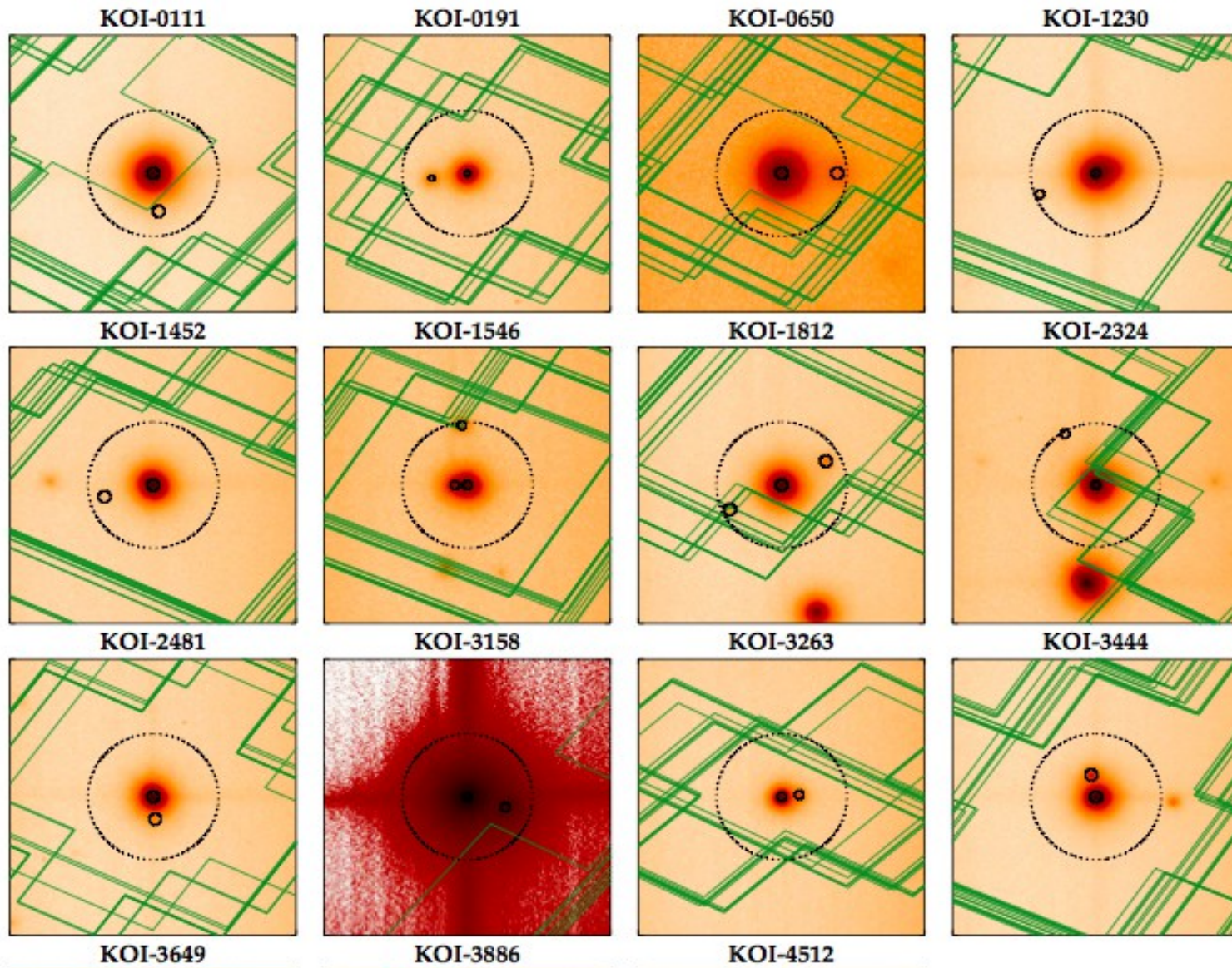
Kepler Planet Properties using Stellar Colors Alone



Gaidos (2013)

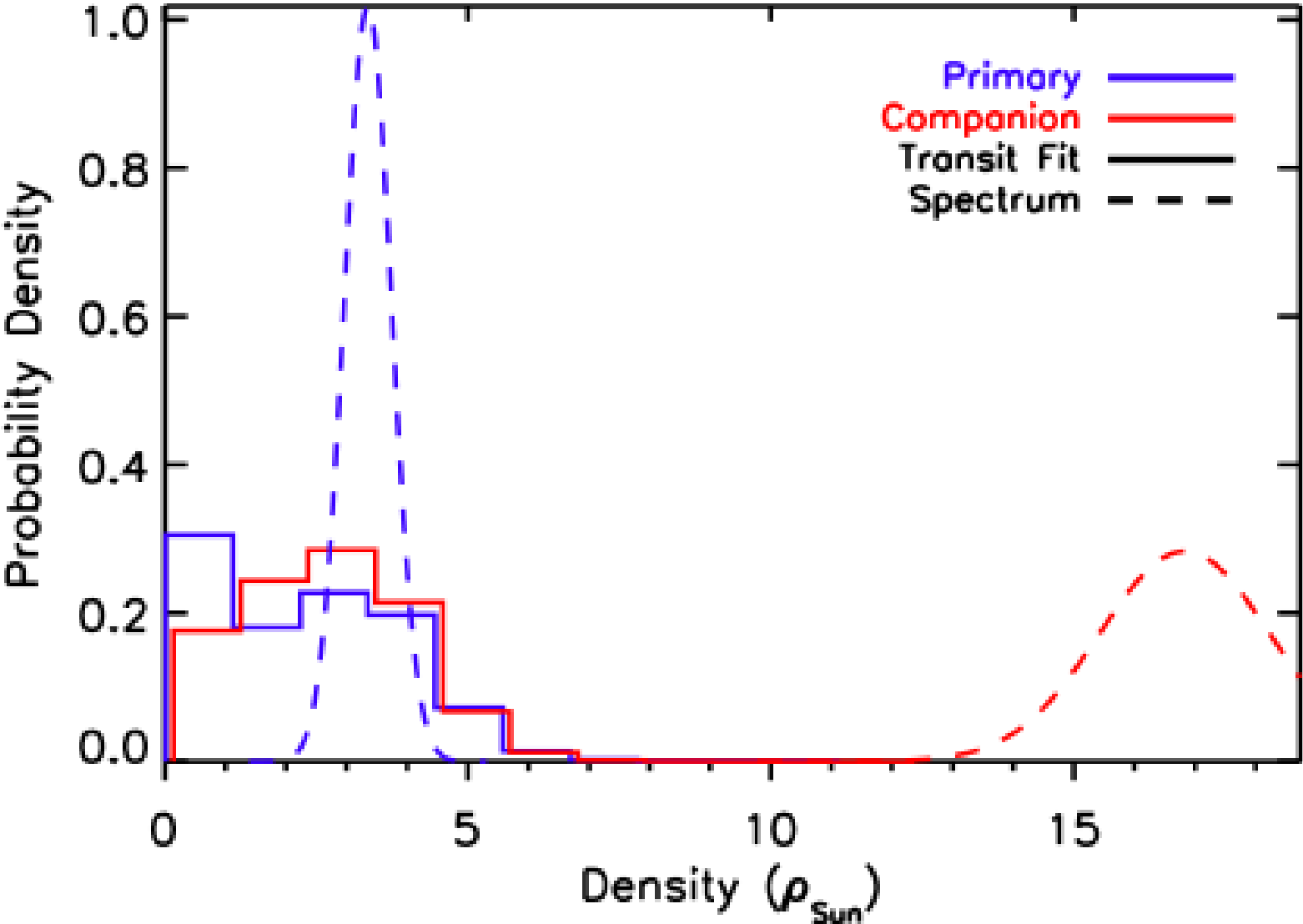
Uncertainties with Stellar Colors and *Gaia* Parallaxes



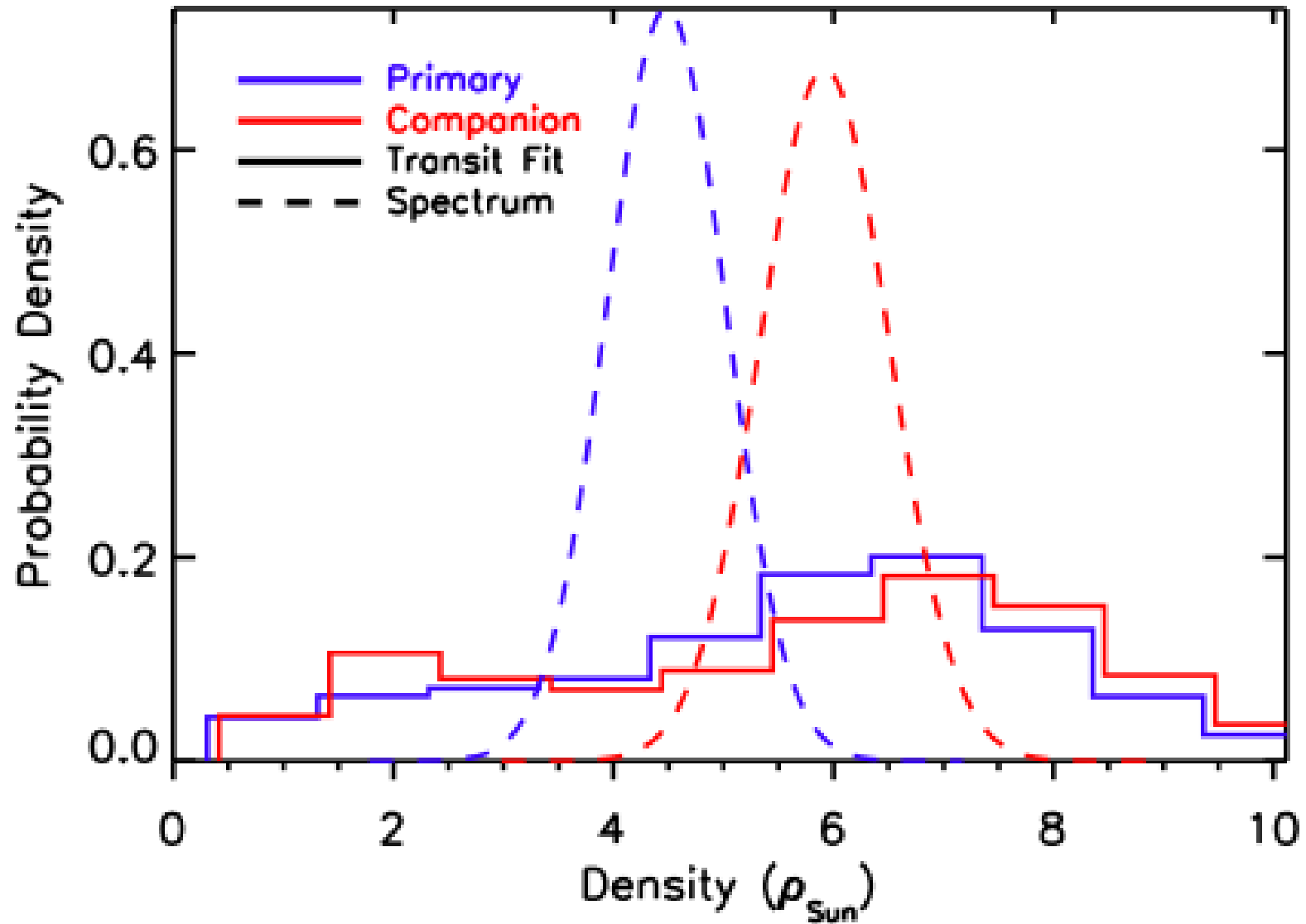


Lillo-Box et al. (2014)

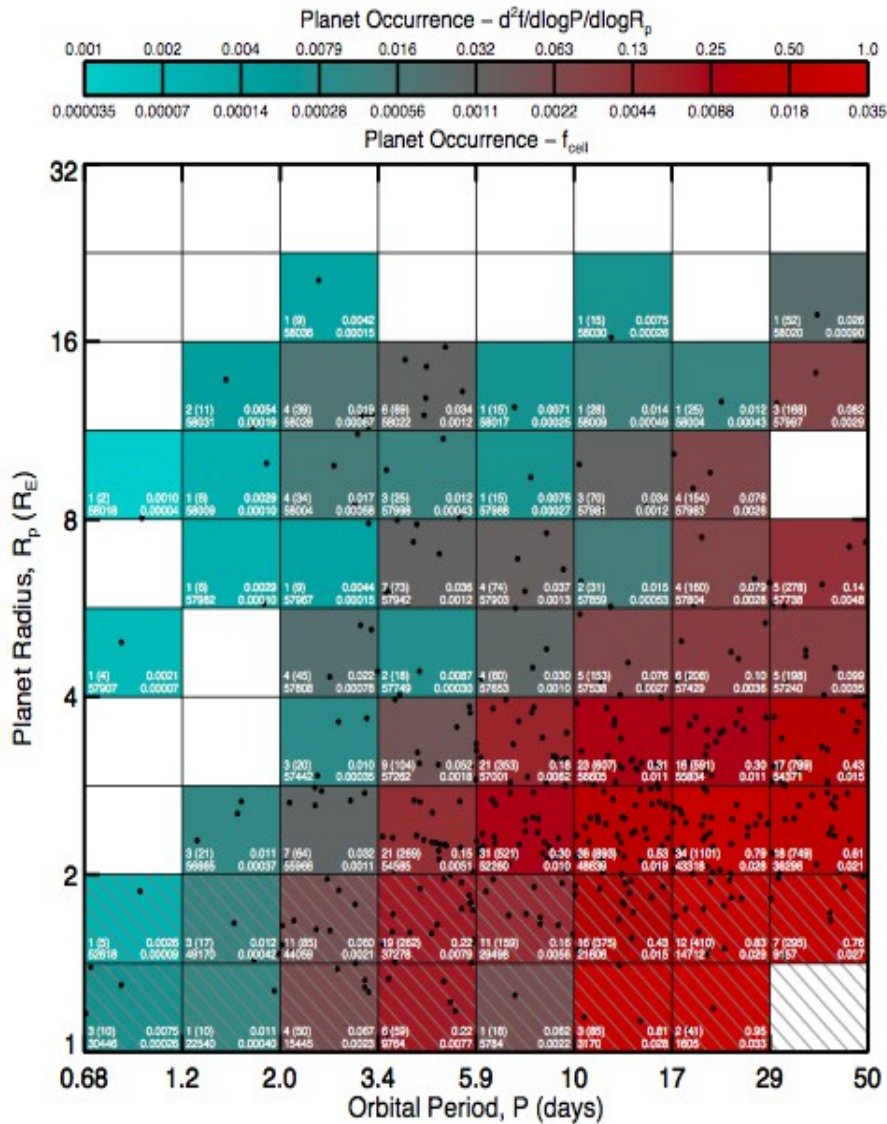
Case 1: Unambiguous Identification of the Host Star



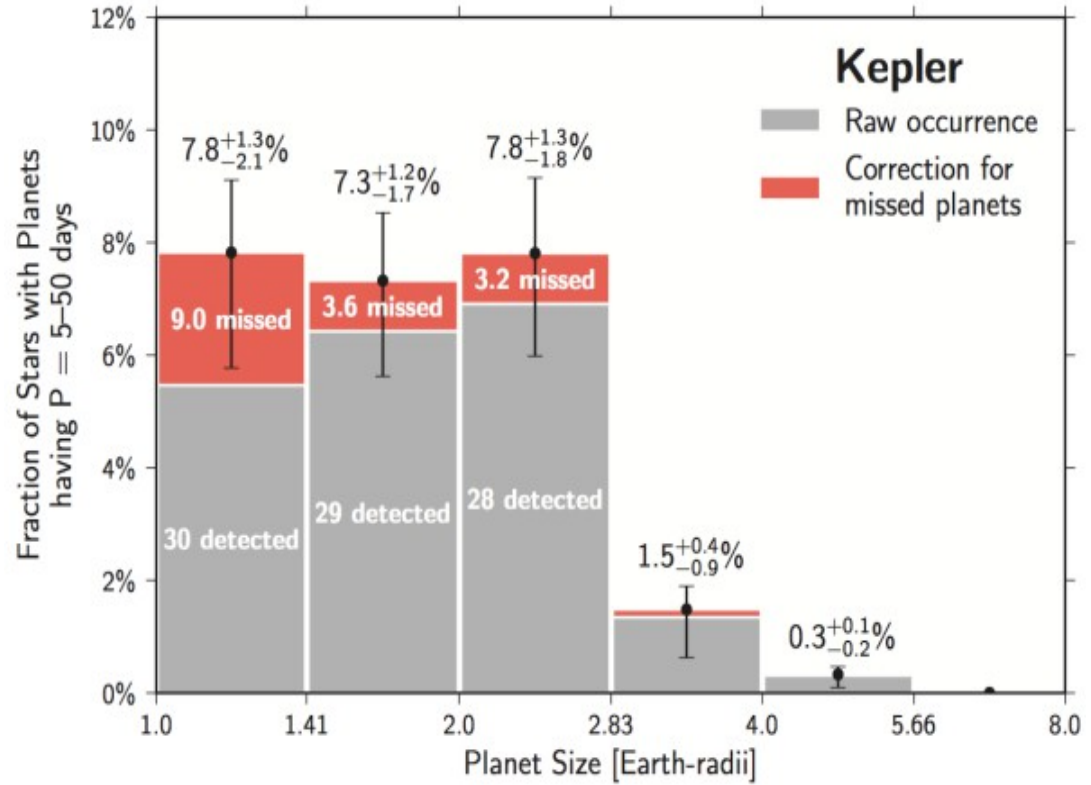
Case 2: Identity of Host Star is Ambiguous



Demographics by Binning



Howard et al. (2012)

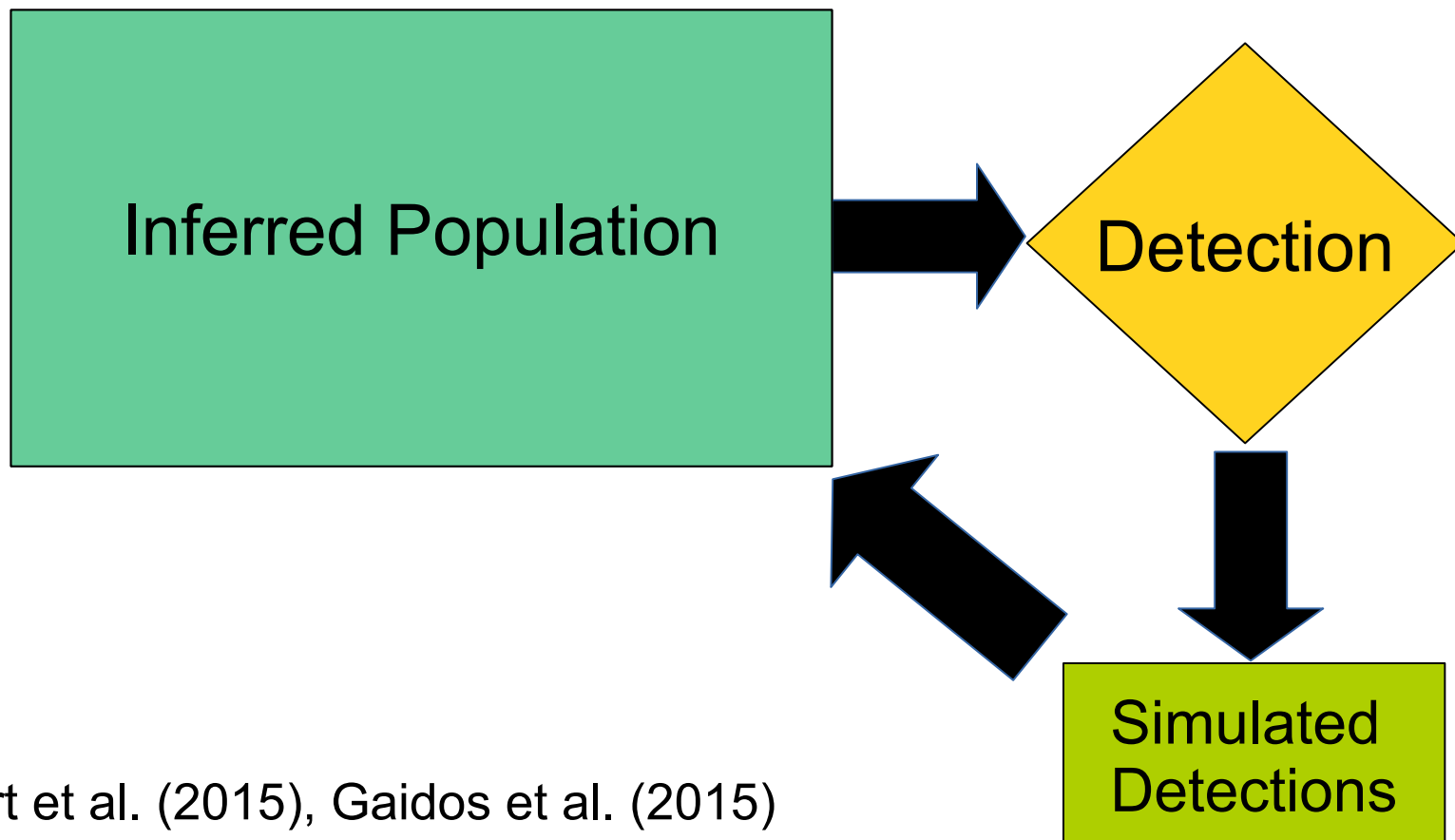


Petigura et al. (2013)

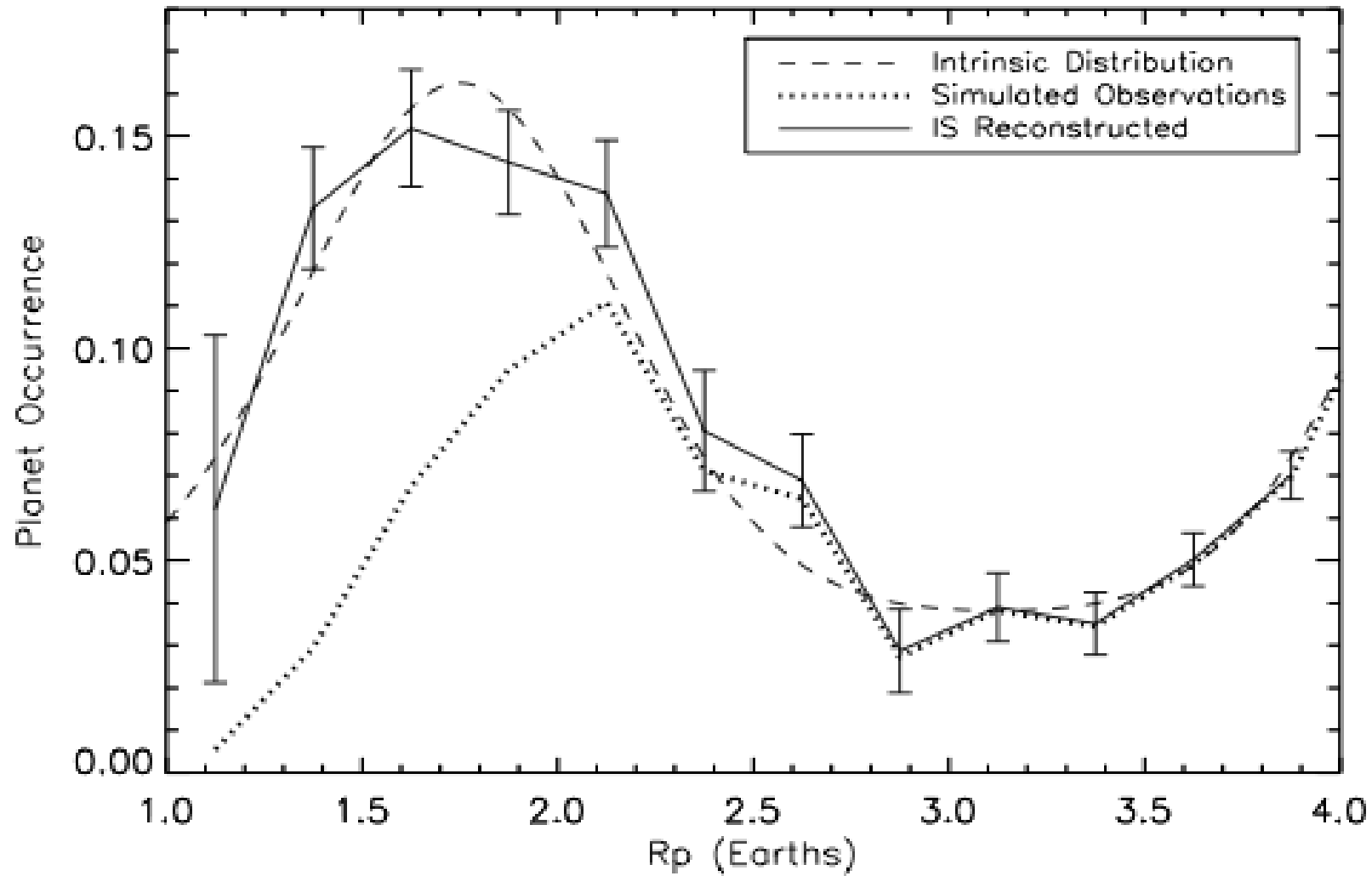
Demographics without Binning

Method of Iterative Monte Carlo (MIMC)

See: e.g., Cappé, Godsil & Moulines (2006)

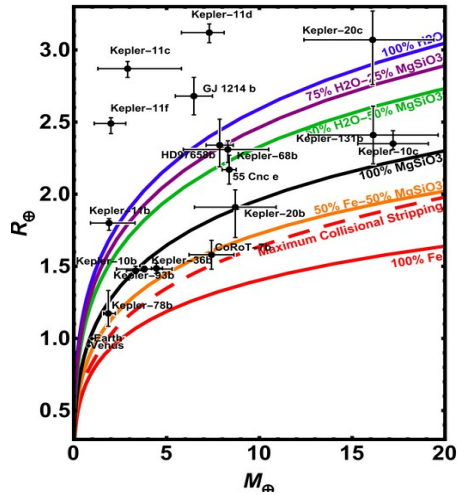
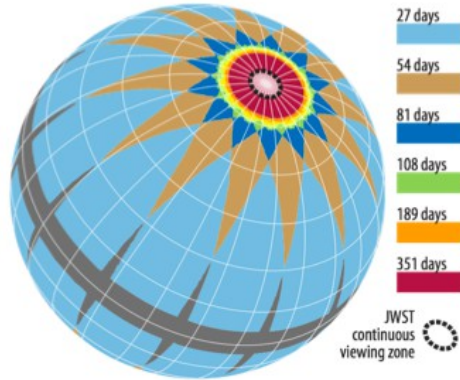


Silburt et al. (2015), Gaidos et al. (2015)



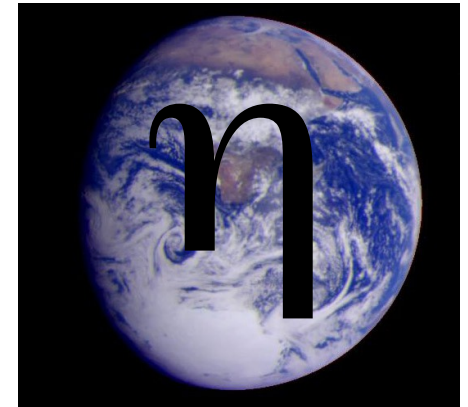
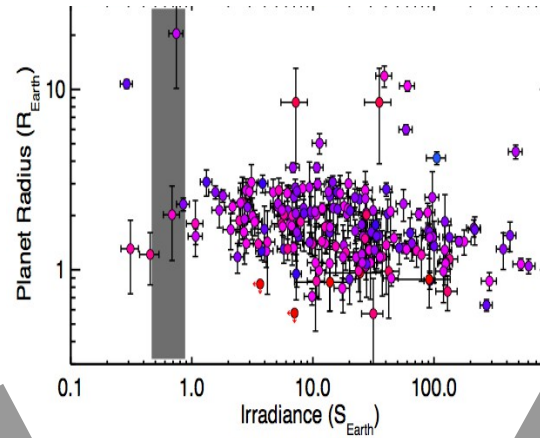
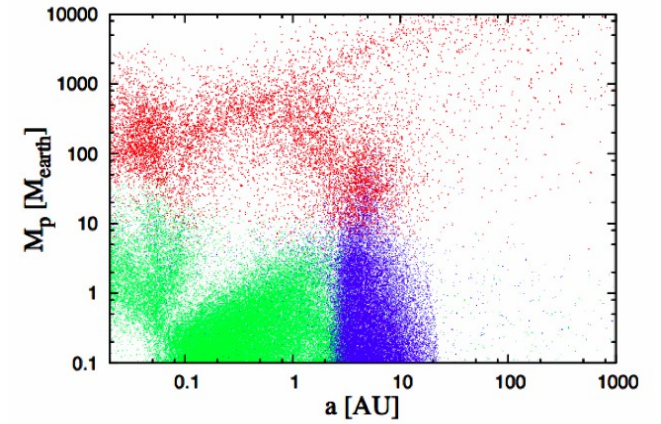
Silburt et al. (2015)

Predicting yields of exoplanet surveys



Constructing mass-radius diagrams & interior models

Testing population synthesis models



Astrobiological inquiry

