# Ground-based Transit Surveys

~100 planets discovered (6 years since HAT-P-1b)

SuperWASP



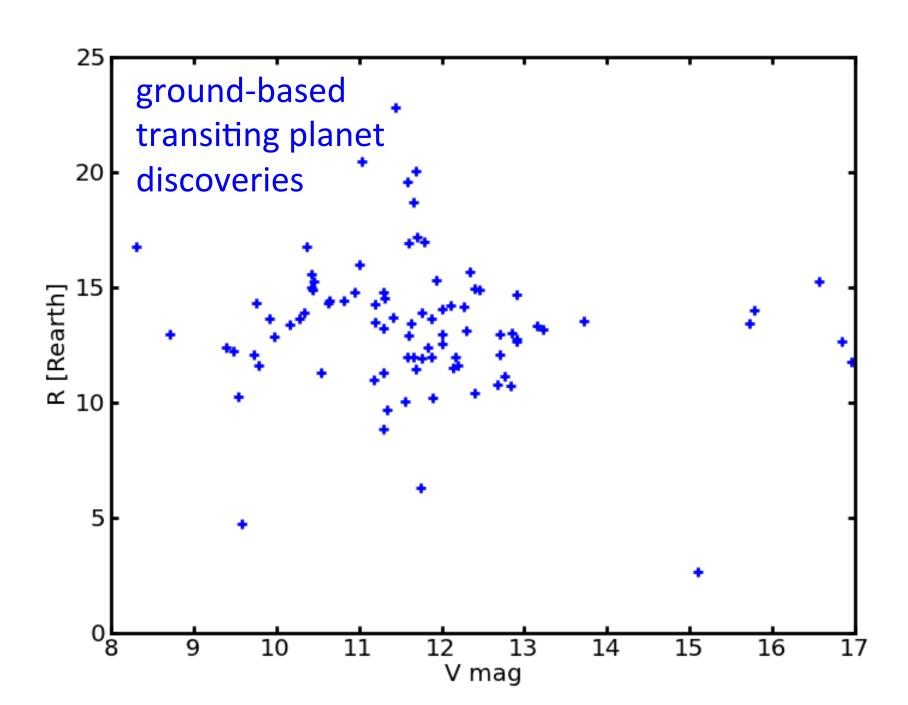
Limited by follow-up resources!

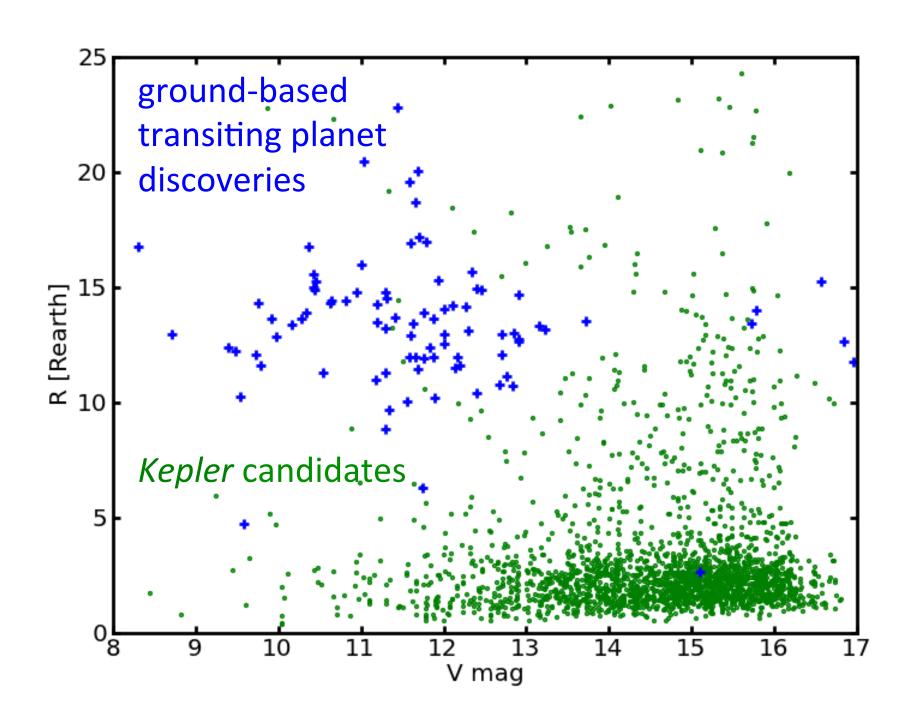
## Kepler: a new era

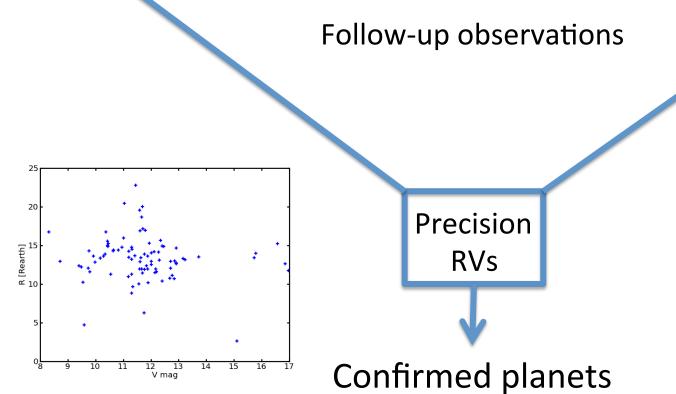
- Statistical census of planetary systems
- Small planets!
- Earth analogs??

Challenge...

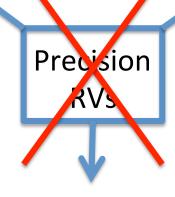
>2300 Candidates!



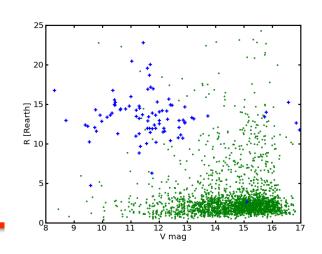




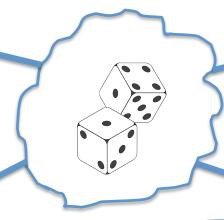
Follow-up observations



Confirmed planets



Planet population



Planet population

## Philosophy: Posterior Probability

What is the probability
that a transit-like signal is a true planet,
given
a priori assumptions
and
observed data?

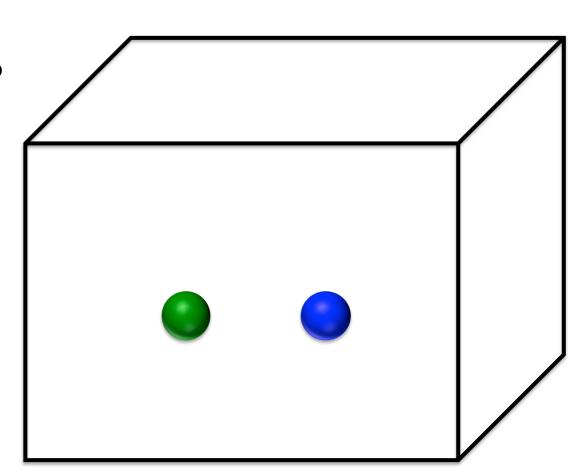


### Planet candidates are marbles.



#### What do we know?

What colors exist



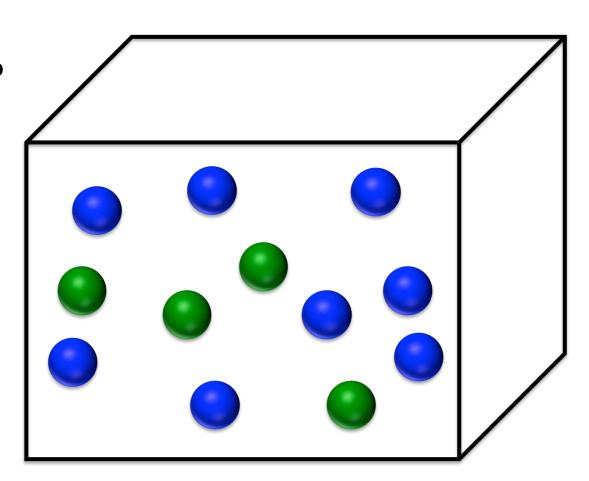


### Planet candidates are marbles.



#### What do we know?

- What colors exist
- How many of each color there are



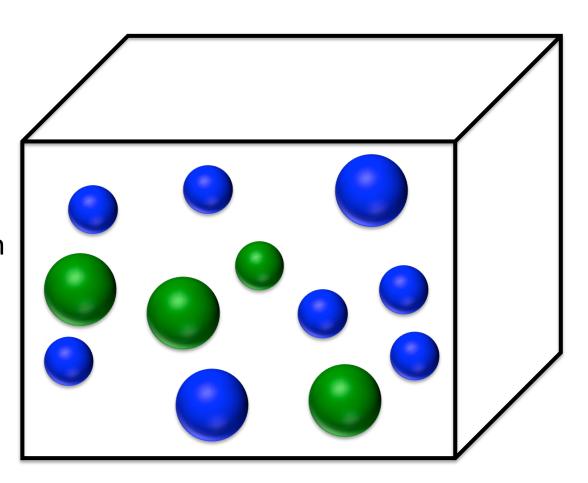


#### Planet candidates are marbles.



#### What do we know?

- What colors exist
- How many of each color there are
- The size distribution of the different colors



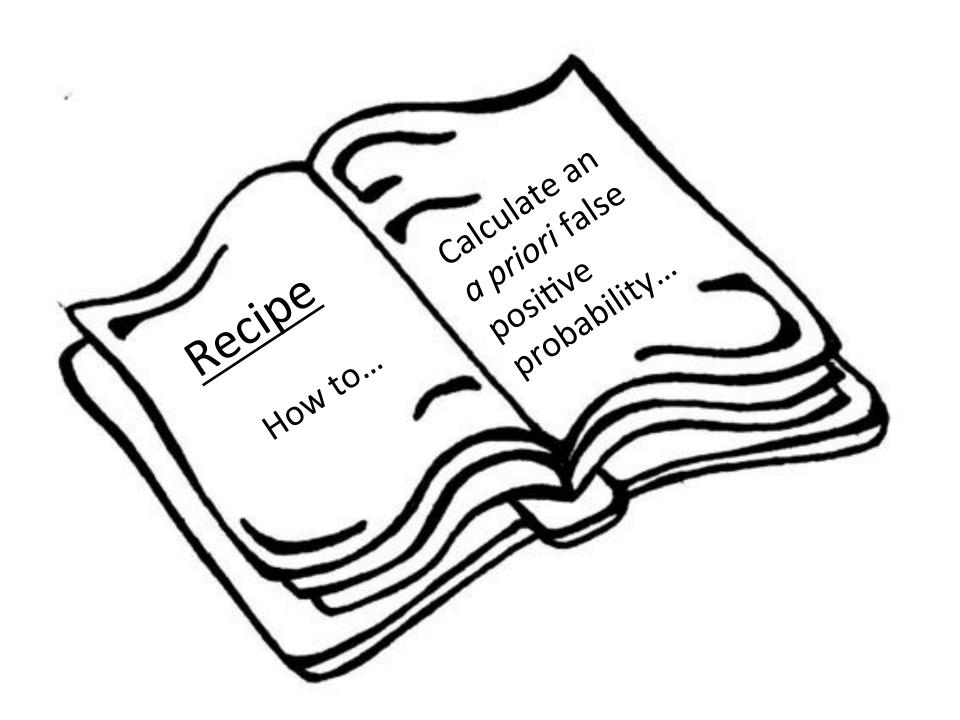
More a priori knowledge enables more accurate assessment of the probabilities!

Pr(planet | signal) = 
$$\frac{(3/4)^{4}}{(3/4) 4 + (1/4) 8}$$

 $\mathcal{L}$  = likelihood = "probability of data given model" = e.g. 3/4 or 1/4 if a large marble is observed

 $\pi$  = prior = "probability of model" = e.g. 4 or 8

$$= 3/5$$



$$M = \{\text{Planet}, \text{FP}\}$$

$$FP = \{...\}$$

## For each $M_i$ in M, calculate:

 $\mathcal{\pi}_{_{i}}$ 

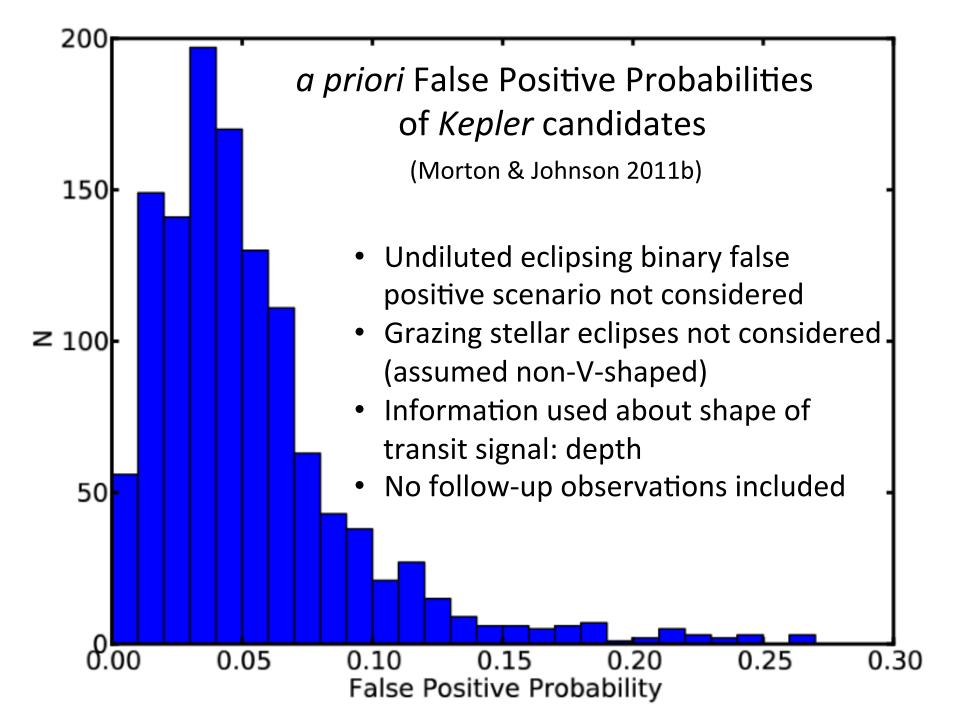
"How common do we believe scenario  $M_i$  is?"

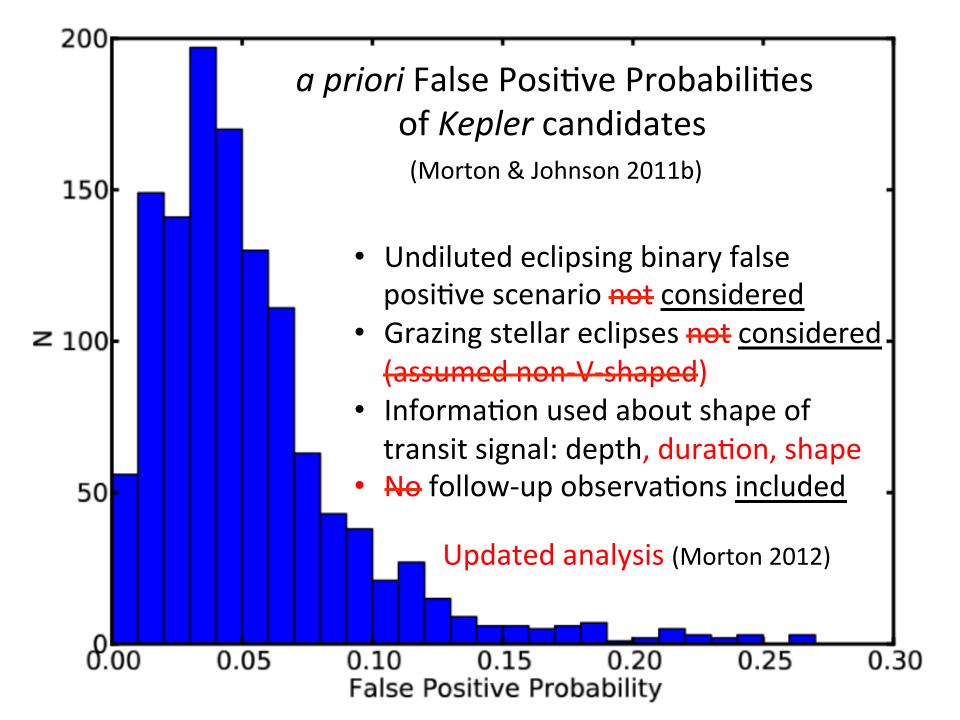
- Galactic population models
- Stellar multiplicity statistics
- Stellar models
- Orbital distributions of multiple systems (P,e)
- Planet occurrence rate



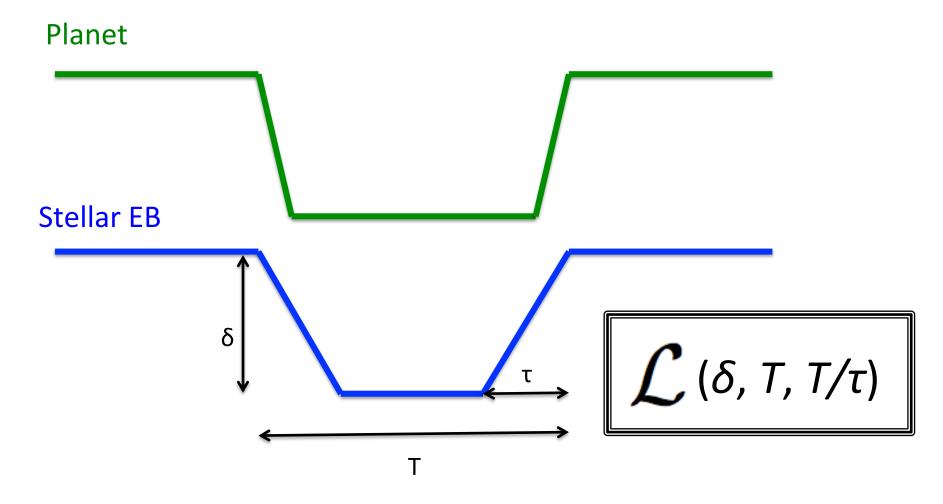
"How much does the observed signal look like scenario  $M_i$ ?"

- Description of scenario light curves
- Description of data light curve
- Other follow-up observations/ constraints

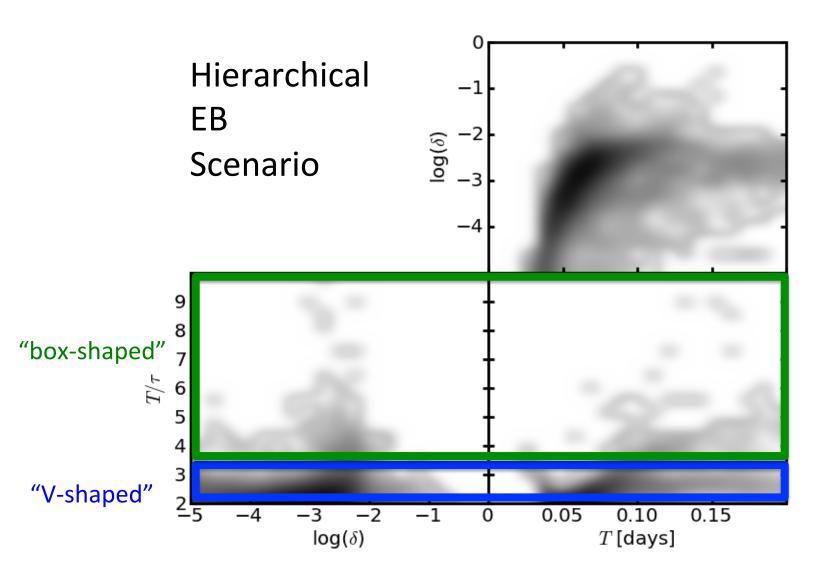


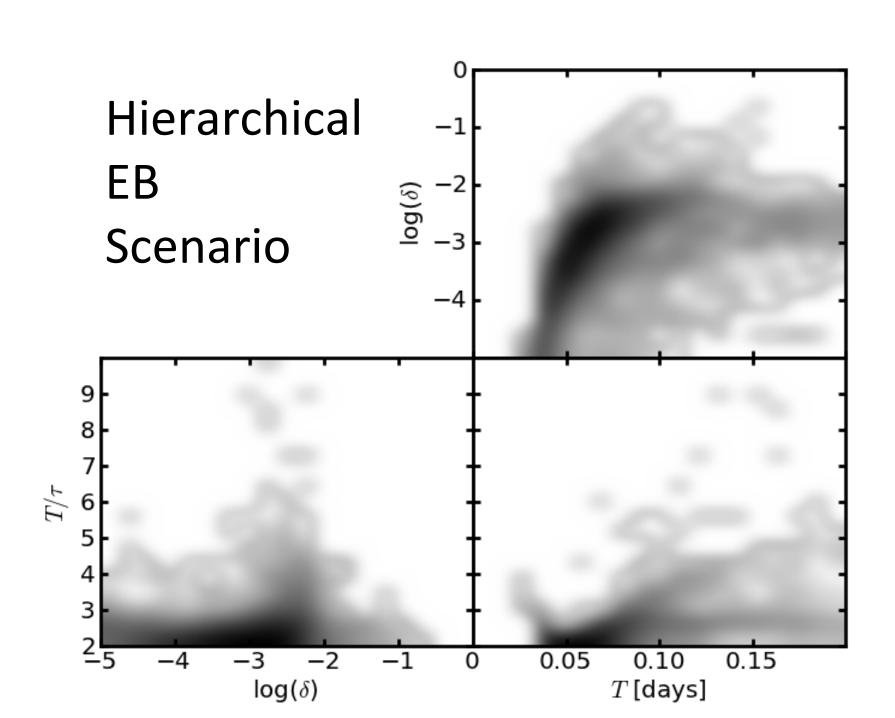


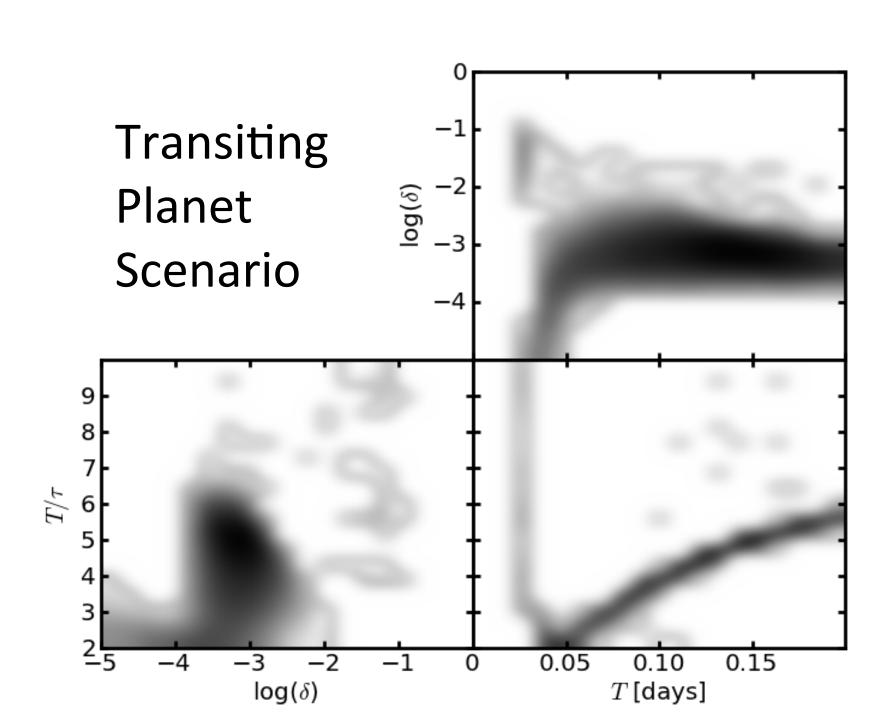
## light curve shape

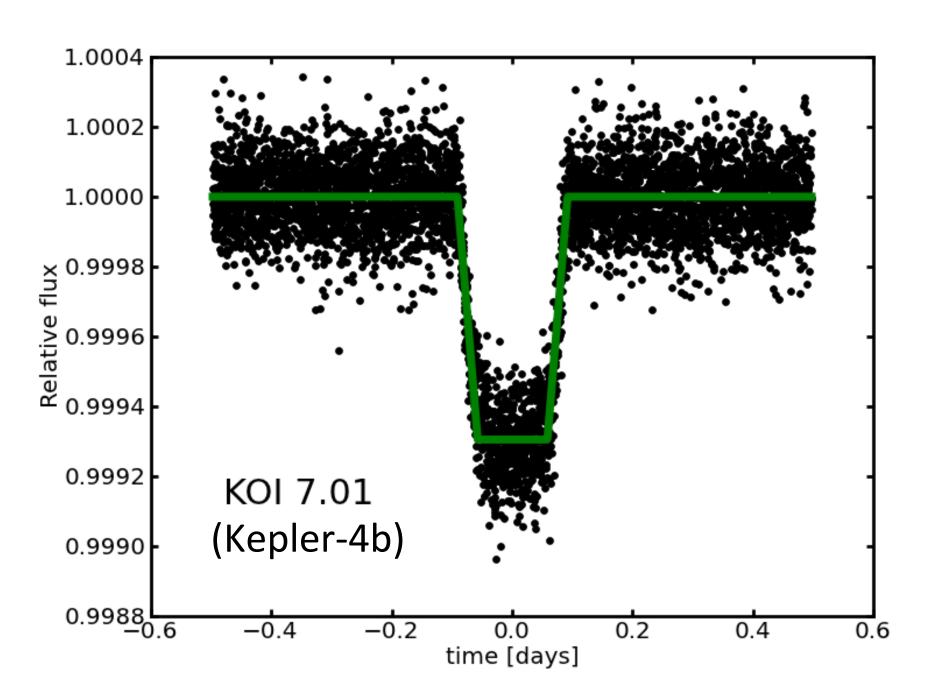


Simulate representative populations





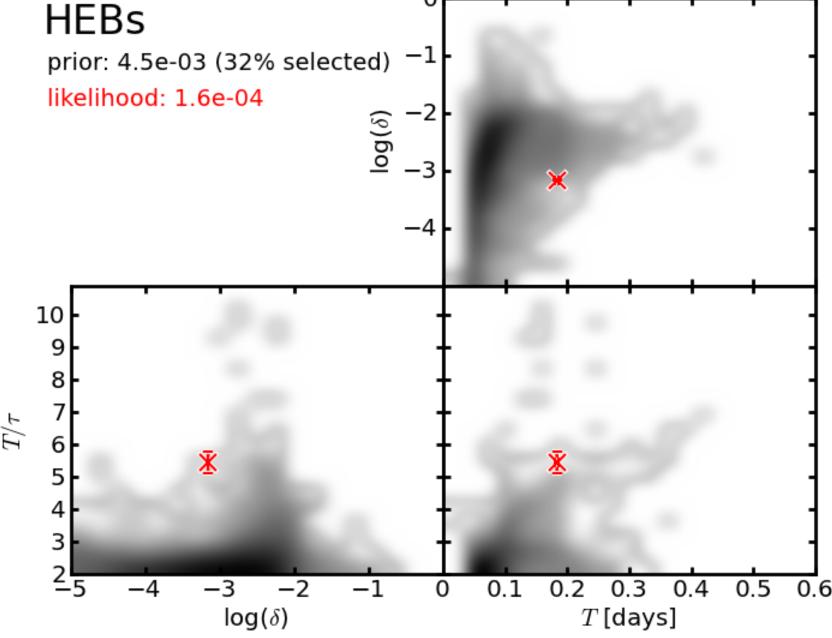




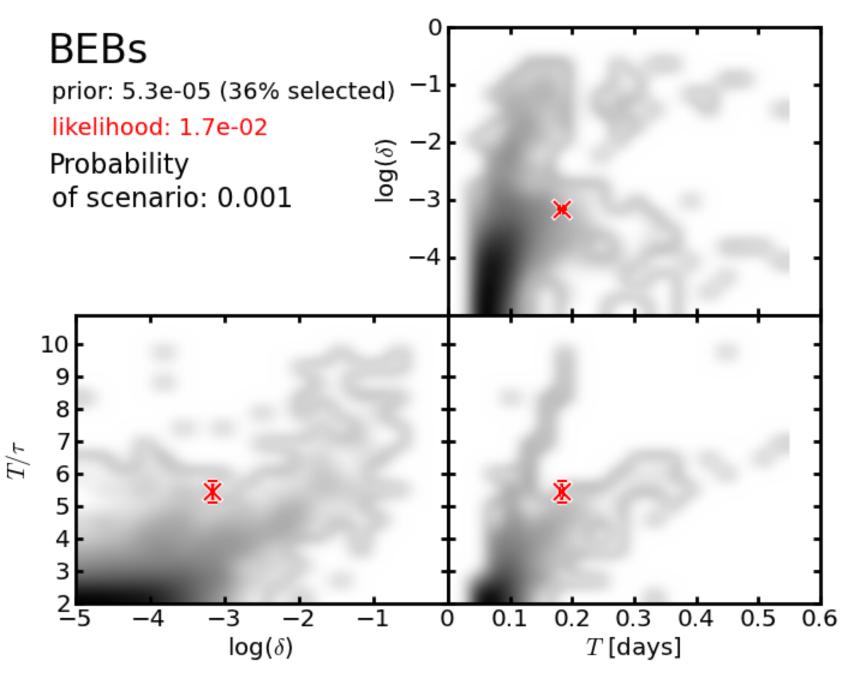
KOI 7.01 **Planets** prior: 1.4e-03 (95% selected)  $^{-1}$ likelihood: 1.1e+00  $\log(\delta)$ 10 3 0.5 -3 0.1 0.3 0.4  $\log(\delta)$ T [days]

KOI 7.01 **EBs** prior: 6.0e-04 (5% selected) likelihood: 3.6e-03  $\log(\delta)$ 10 ❈ 3 0.1 0.2 0.3 0.5 0.4  $\log(\delta)$ T [days]

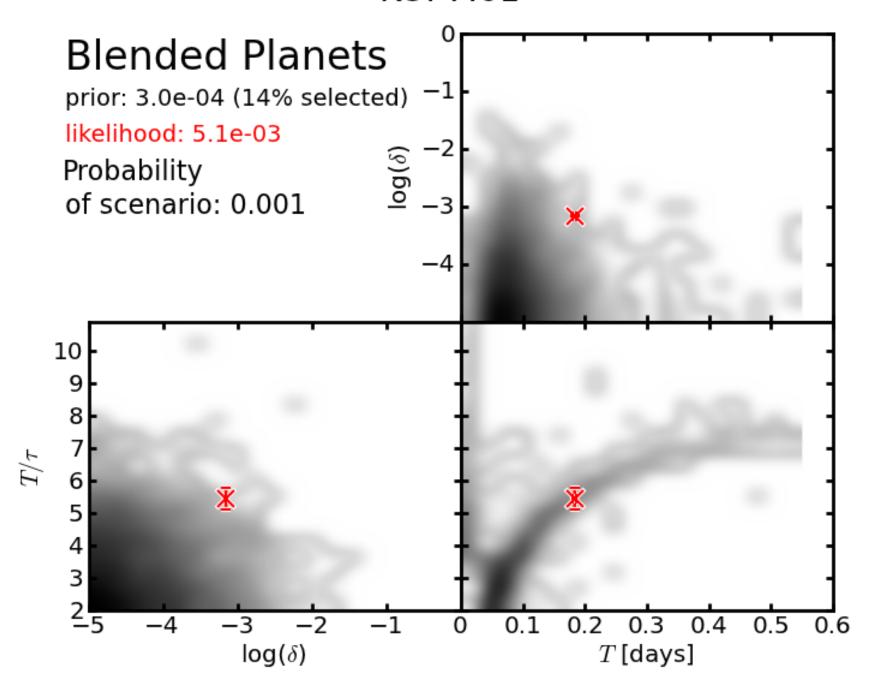
KOI 7.01  $\log(\delta)$ <u>\*</u>



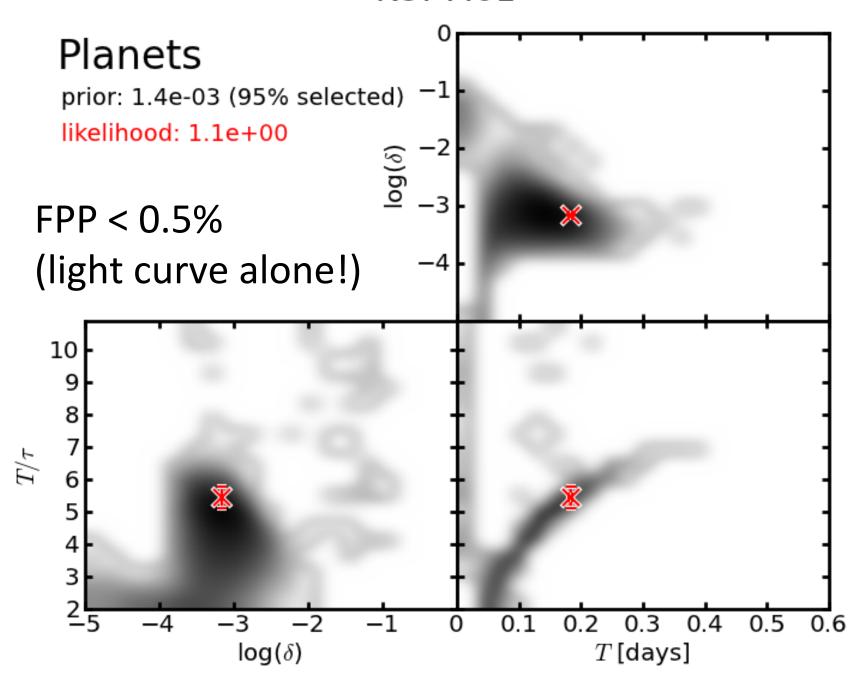
### KOI 7.01

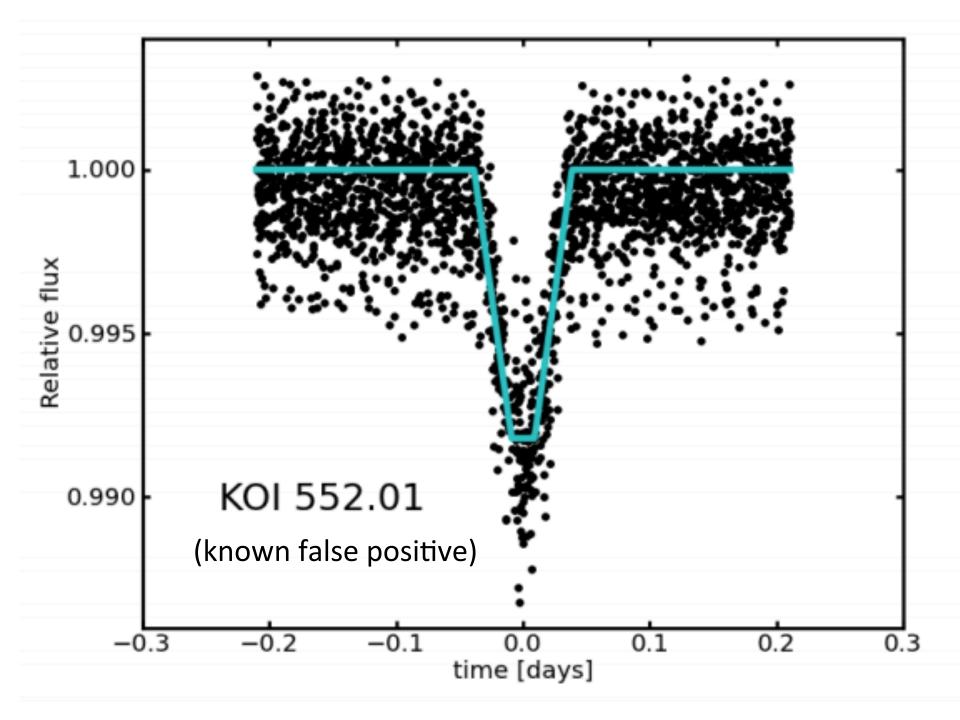


KOI 7.01

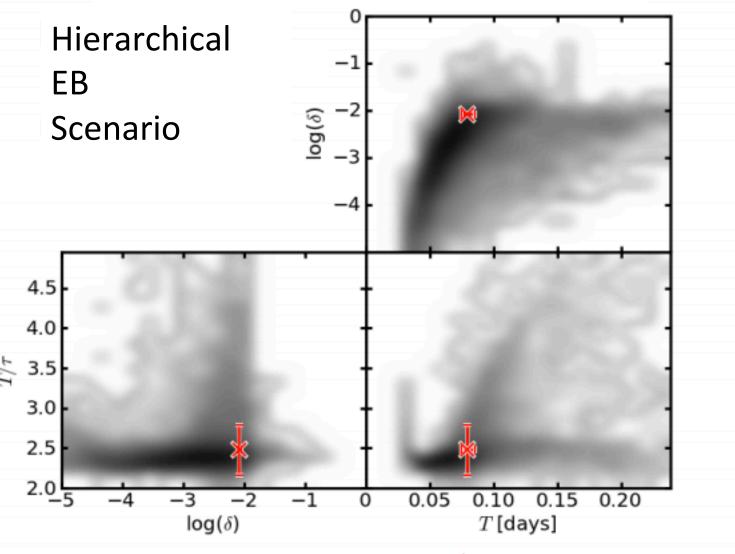


#### KOI 7.01





## KOI-552 (known false positive)



FPP = 0.90!

## Control tests

Morton (2012)

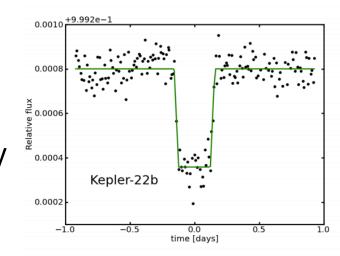
### 18 known Kepler planets:

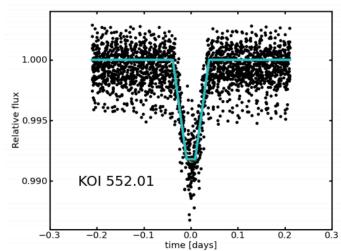
- 4 could be validated with just photometry
- 9 with just stellar characterization
- 7 with just AO observations
- 14 with both stellar characterization and AO (remaining 4 are all giant planets)

### 11 known KOI false positives:

- All but 2 have FPP > 0.40
- 5 have FPP > 0.90

It works!





## a priori FPPs, redux

- Identify a set of false positive scenarios to test the planet hypothesis against
- Use knowledge about stellar populations to determine how common each false positive scenario should be
- Generate populations of each scenario (false positives and planets) to generate distributions of light curve shapes, and compare to the observed light curve.
- Sometimes, this is all you need to either validate a signal or identify a likely false positive!

