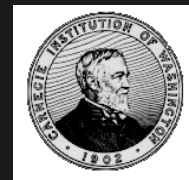


Magnetic Fields in Earth-like Exoplanets and Implications for Habitability of Planets Around M-dwarfs



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Gómez-Pérez, López-Morales & Ruedas (2011)



M-dwarfs as planet hosts

- Tarter et al. 2007 and Scalo et al. 2007 recommended M-dwarfs as best targets to search for exo-Earths.
- $M_{\text{st}} < 0.5 M_{\text{sun}}$
- R_p / R_{st} and M_p / M_{st} 
- Signal of small planet around small star 

Idea confirmed by discovery of over 20 planets around M-dwarfs, e.g. GJ 436b (Butler et al. 2004) and GJ 1214b (Charbonneau et al. 2009)

Can planets around M-dwarfs be habitable?

1) M-dwarfs are more active than Sun-like stars

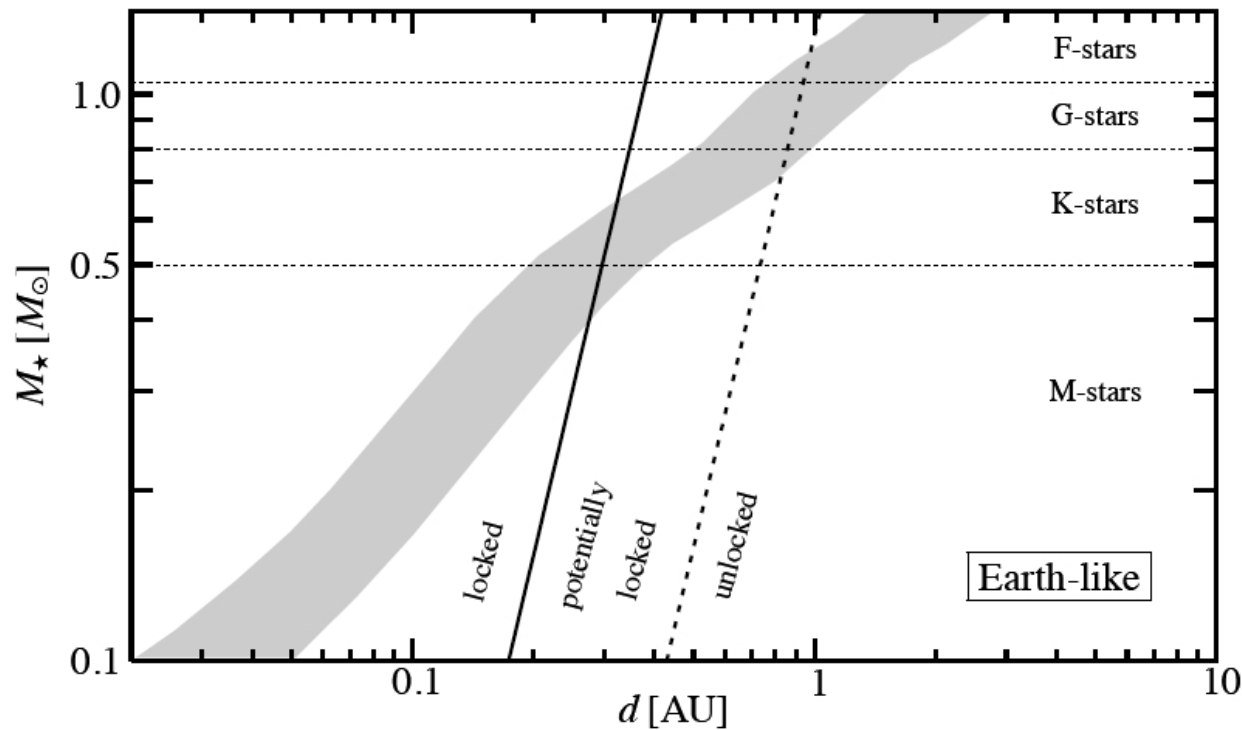


Planets will be exposed to denser winds

2) M-dwarfs' Habitable Zones are 10 times closer to the star than for Sun-like stars



Planets are tidally locked, are in synchronous rotation and have weak magnetic moments



(Grießmeier et al. 2009)

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The rotation of the planet is not necessarily synchronized to the star if the planet's orbit is eccentric (Correia et al. 2008; Barnes et al. 2009)

Yes, but maybe not as weak as we thought.

Planetary Science-Astronomy need more communication

Early model attempts

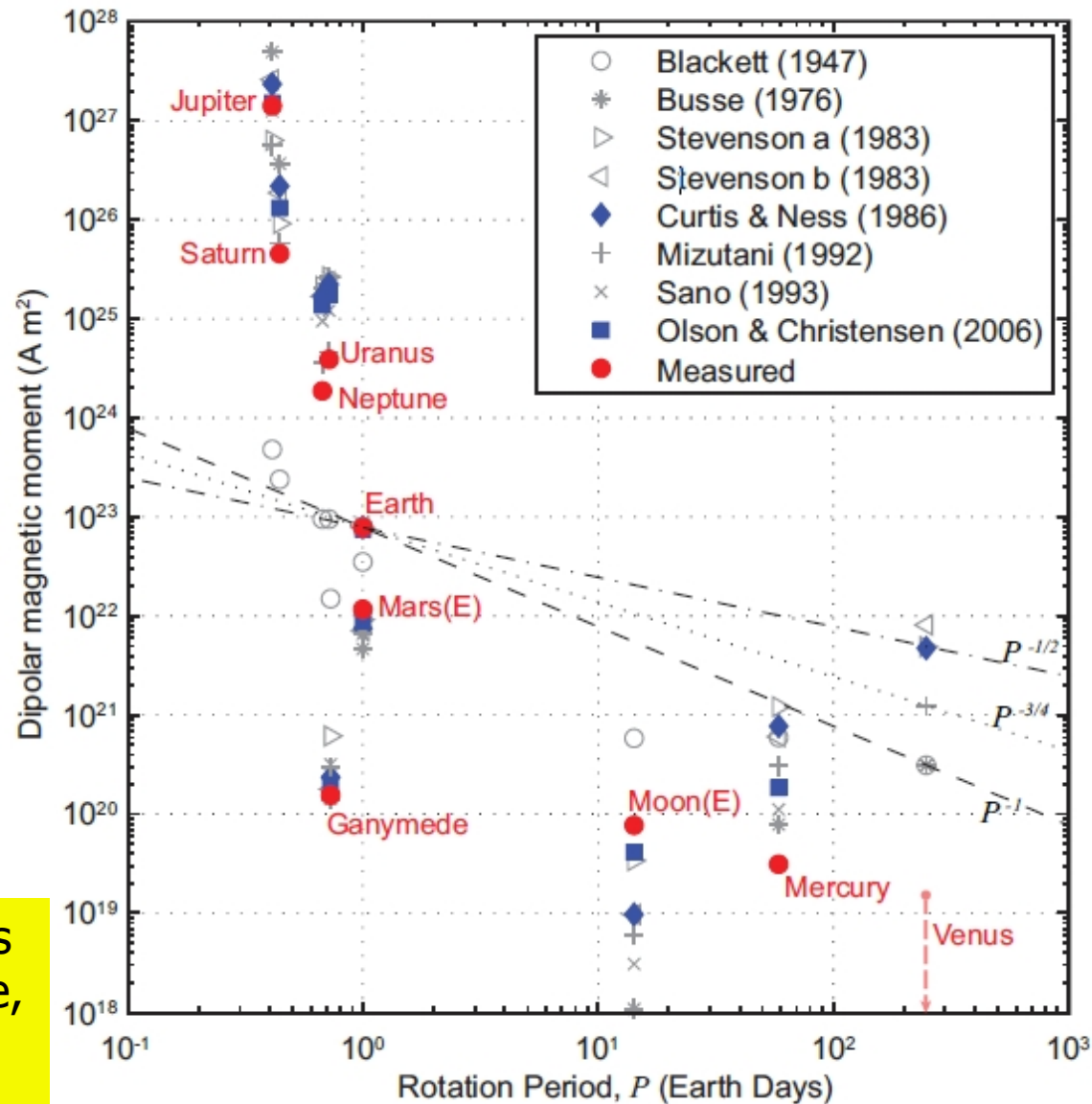
Blackett (1947)	$M \sim L$
Busse (1976)	$M \sim \rho^{1/2} r^4 \Omega$
Stevenson (1983)	$M \sim \rho^{1/2} r^3 \Omega^{1/2}$
Curtis & Ness (1986)	$M \sim \rho^{1/2} r^{7/2} \Omega^{1/2} F^{1/6}$
ISAS-1 (1992)	$M \sim \rho^{1/2} r^{7/2} \Omega^{3/4}$
ISAS-2 (1992)	$M \sim \rho^{1/2} r^3 \Omega^{1/2}$
Sano (1993)	$M \sim \rho^{1/2} r^{7/2} \Omega$

New numerical models

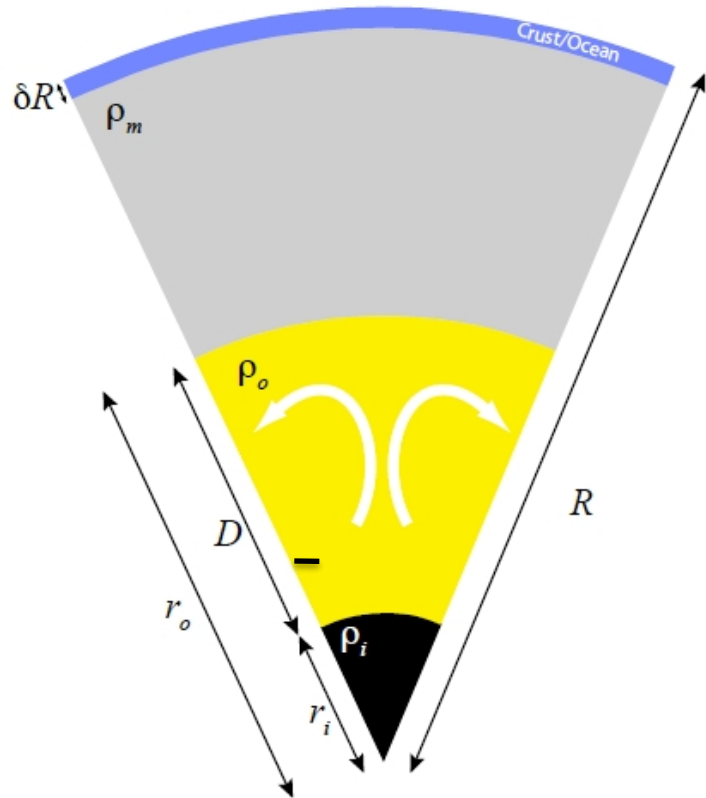
Olson & Christensen (2006)

$$M \sim 4\pi r_o^3 \gamma (\bar{\rho}_o \mu_o)^{1/2} (F D)^{1/3}$$

The OC2006 scaling law mispredicts observations by < 15%, on average, while other laws give average mispredictions between 20 – 268%.



Exo-Earths magnetic moment models using OC2006



$$\mathbf{M} \sim 4\pi r_o^3 \gamma (\bar{\rho}_o \mu_o)^{1/2} (\mathbf{F} D)^{1/3}$$

M = Magnetic moment

r_o = planetary core radius

γ = fitting coefficient (=0.1-0.2)

$\bar{\rho}_o$ = bulk density of fluid in convective zone

μ_o = magnetic permeability of vacuum

F = average convective buoyancy flux

D = thickness of the convection cell

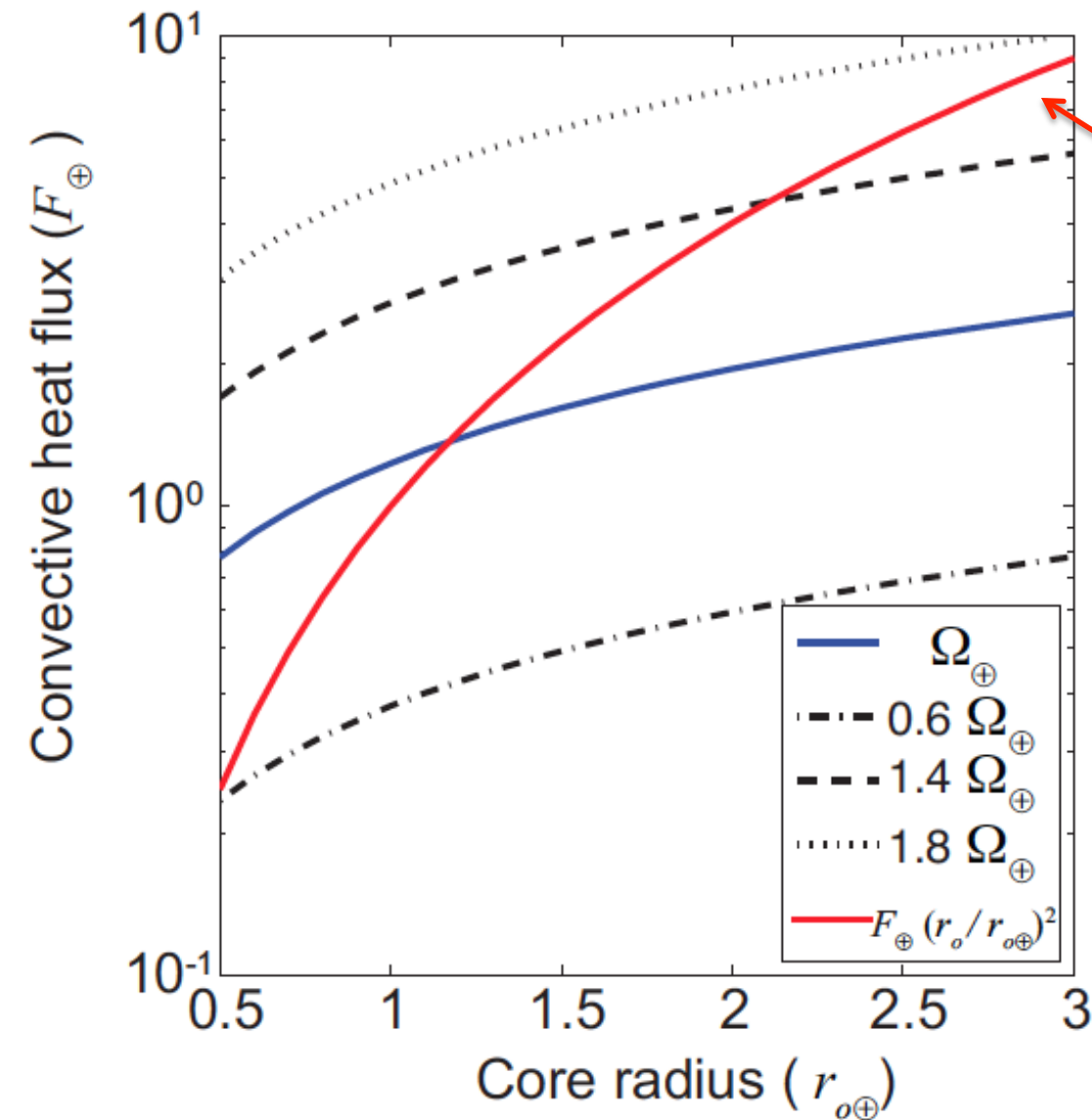
- r_i/D decreases with age
- we currently do not know how **F** changes with age

$$\frac{F}{F_{\oplus}} < \left(\frac{Ro_l^*}{Ro_{l\oplus}} \left(\frac{D}{D_{\oplus}} \right)^{1/3} \left(\frac{\Omega}{\Omega_{\oplus}} \right)^{7/6} \right)^2 \rightarrow \begin{cases} \text{- If } Ro_l \leq 0.1 \rightarrow F \text{ generates dipolar dynamo} \\ \text{- If } Ro_l > 0.1 \rightarrow F \text{ generates multipolar dynamo} \end{cases}$$

** $Ro_l = 0.1 (=Ro_l^*)$ gives F_{max} for $M_{dipolar}$

** $M_{multipolar} = 5 \times 10^{-2} M_{dipolar}$

F as a function of planetary rotation rate



F for the most efficient dynamo, i.e. $F \propto r_o^2$, which corresponds to $D = 0.65 r_o$ (Heimpel et al. 2005).

Depending on the rotation rate of the planet and its core radius, the most efficient dynamo for the planet can be either a dipole or a multipole.

- For fast rotators → dipole
- For slow rotators → multipole

** core radii range equivalent to $0.5 - 12 M_{\text{earth}}$ planets, assuming same interior composition as Earth.

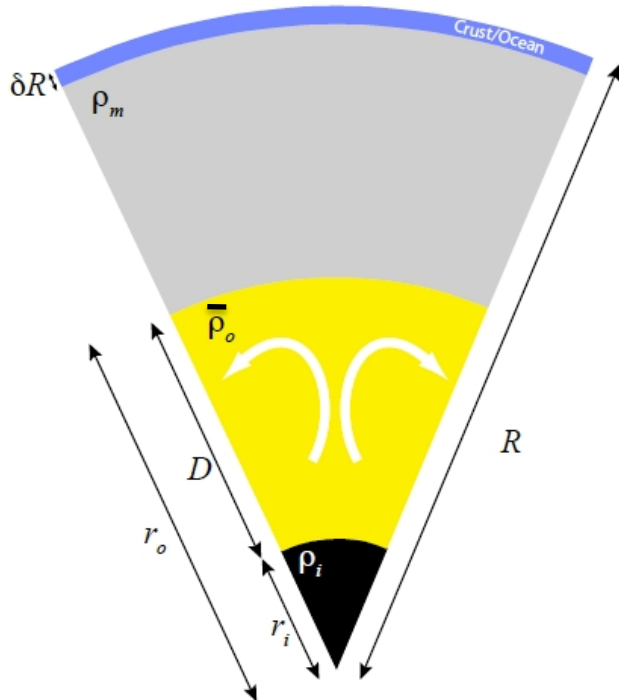
Exo-Earths interior models

$$\begin{aligned}\frac{d\rho}{dr} &= \frac{-G \rho(r) m(r)}{r^2 \phi(r)}, \\ \frac{dm}{dr} &= 4\pi r^2 \rho(r), \\ \frac{dP}{dr} &= -\rho(r) g(r), \\ \frac{dg}{dr} &= 4\pi G \rho(r) - \frac{2|G m(r)|}{r^3},\end{aligned}$$

$$\phi(r) = \frac{1}{3\rho_0}(1 - 2\varepsilon) (C_1 (1 - 7\varepsilon) + C_2(\varepsilon - 9/2 \varepsilon^2))$$

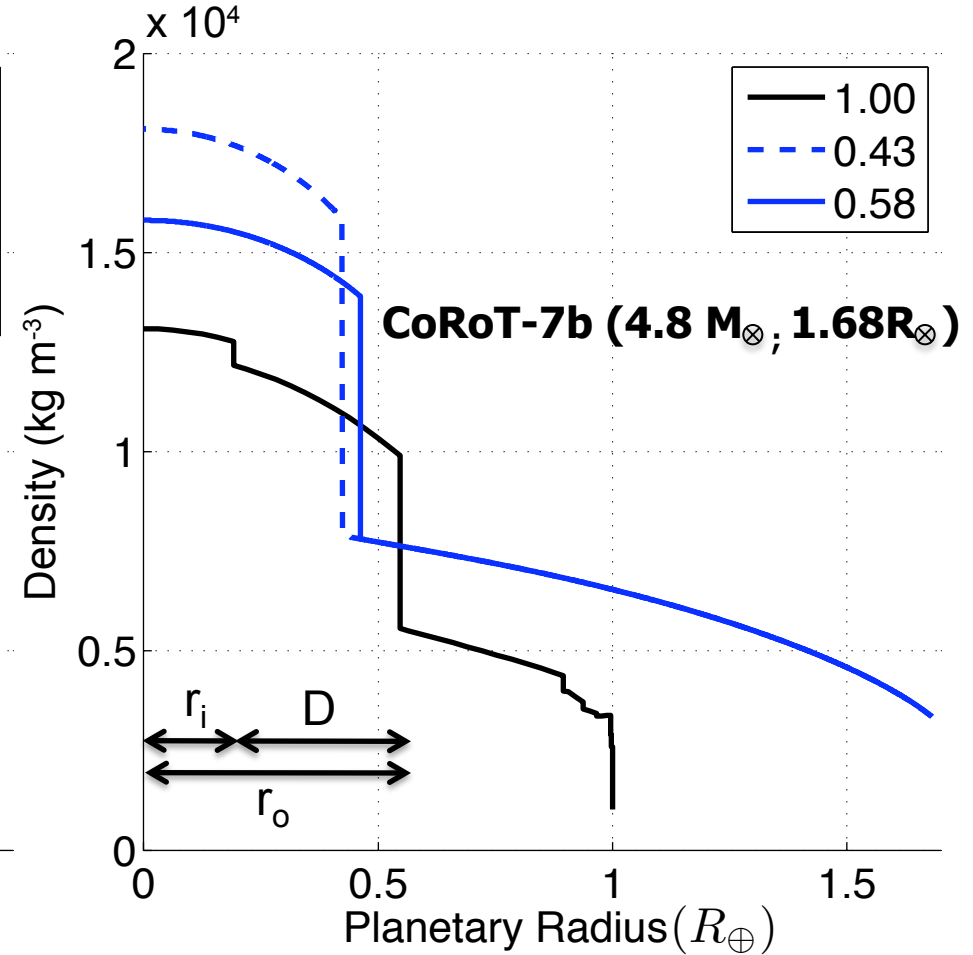
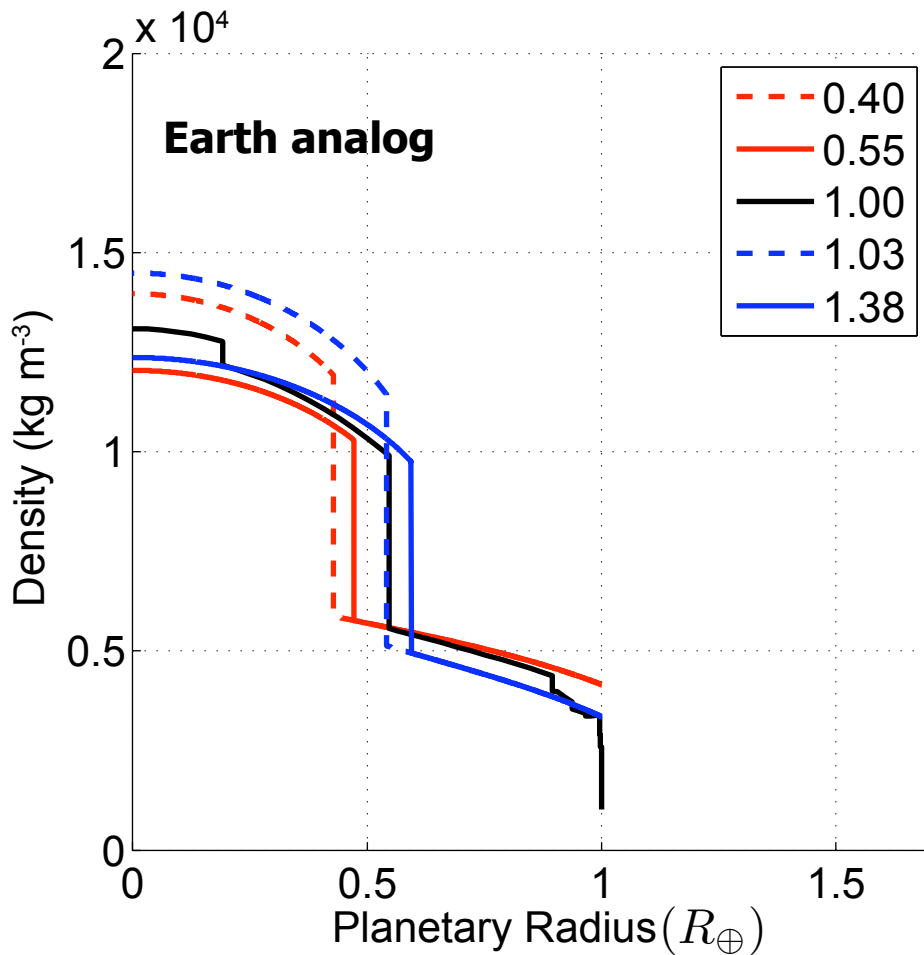
$$\varepsilon = 1/2 (1 - (\rho(r)/\rho_0)^{2/3}), C_1 = 3K_{S0}, C_2 = 9K_{S0}(4 - K'_{S0})$$

Additional assumptions: $D=0.65r_o$ and $r_i/r_o = 0.35$ and F is constant with time.



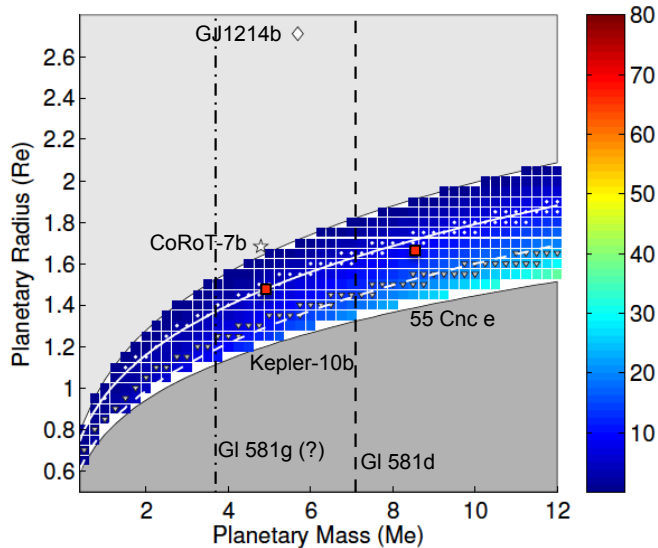
Region	Materials	ρ_0 (kg m ⁻³)	K_{S0} (GPa)	K'_{S0}
Core	Pure iron (Fe)	8300	160.2	5.820
Core	Iron alloy (FeS)	7171	150.2	5.675
Mantle	Pure olivine (Mg _{1.8} Fe _{0.2} SiO ₄)	3347	126.8	4.274
Mantle	Perovskite + Ferropericlasite (Mg _{0.9} Fe _{0.1} SiO ₃ + Mg _{0.9} Fe _{0.1} O)	4152	233.6	4.524

Radius-Density Profiles

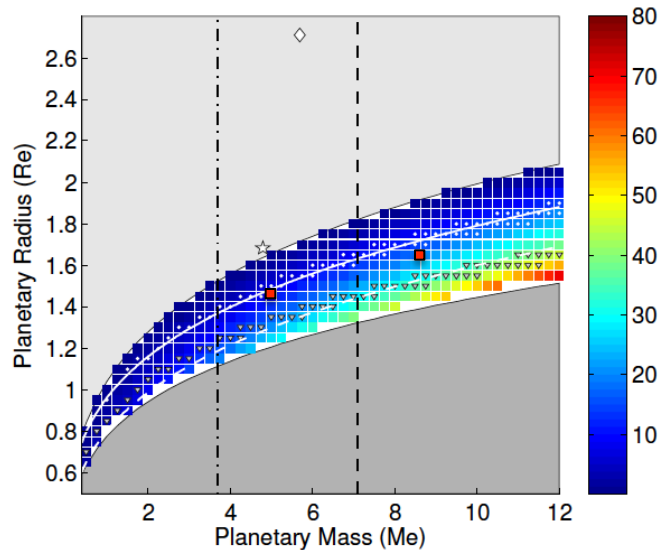
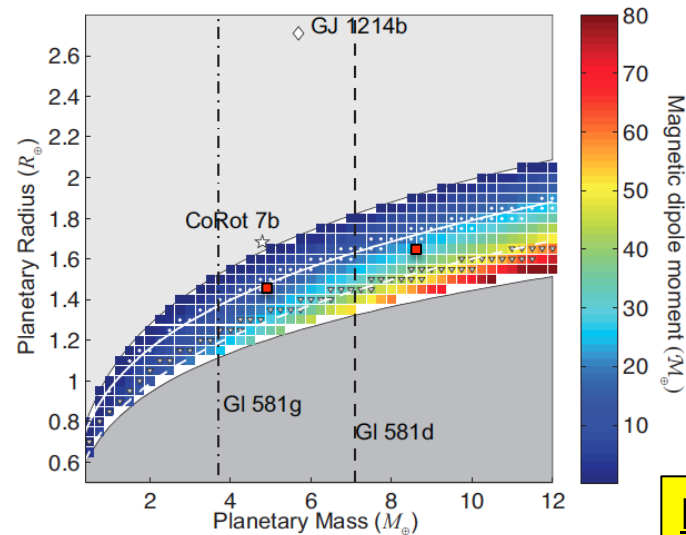


- Earth (from PREM; Dziewonski et al. 1981)
- Olivine mantle + iron alloy core
- Olivine mantle + pure iron core
- Perovskite-ferropericlasite mantle + iron alloy core
- Perovskite-ferropericlasite mantle + pure iron core

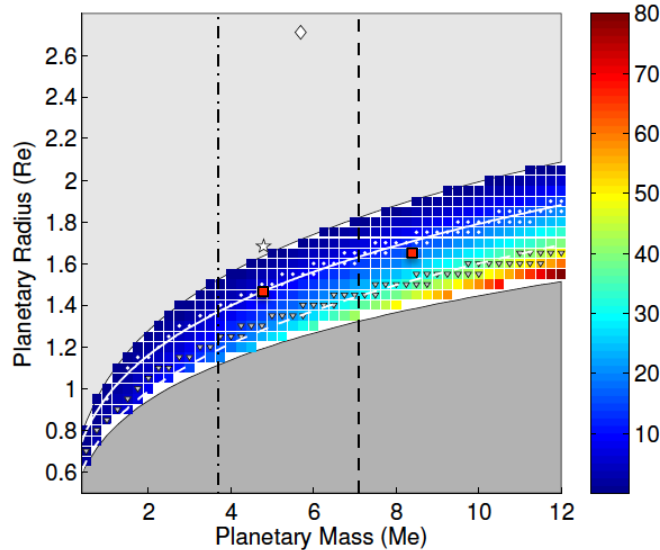
Our magnetic moment estimate for exo-Earths



(a) Rotation rate $0.6 \Omega_{\text{Earth}}$



(c) Rotation rate $1.4 \Omega_{\text{Earth}}$



(d) Rotation rate $1.8 \Omega_{\text{Earth}}$

Rotational velocities:

- 55 Cnc e $\sim 1.35 \Omega_{\text{Earth}}$
- CoRoT-7b $\sim 1.17 \Omega_{\text{Earth}}$
- Kepler-10b $\sim 1.2 \Omega_{\text{Earth}}$
- GJ 1214b $\sim 0.63 \Omega_{\text{Earth}}$

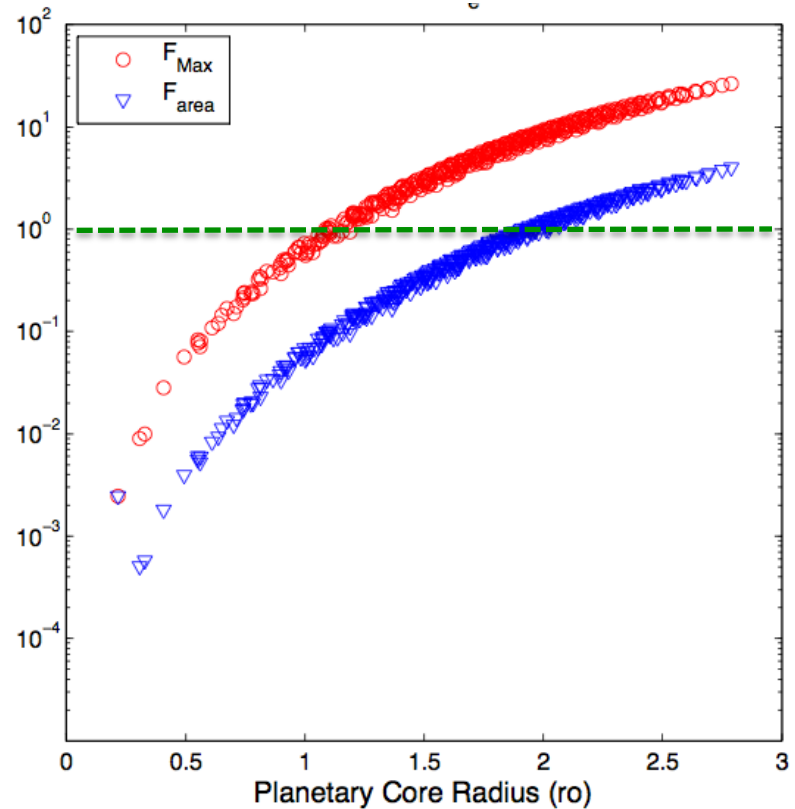
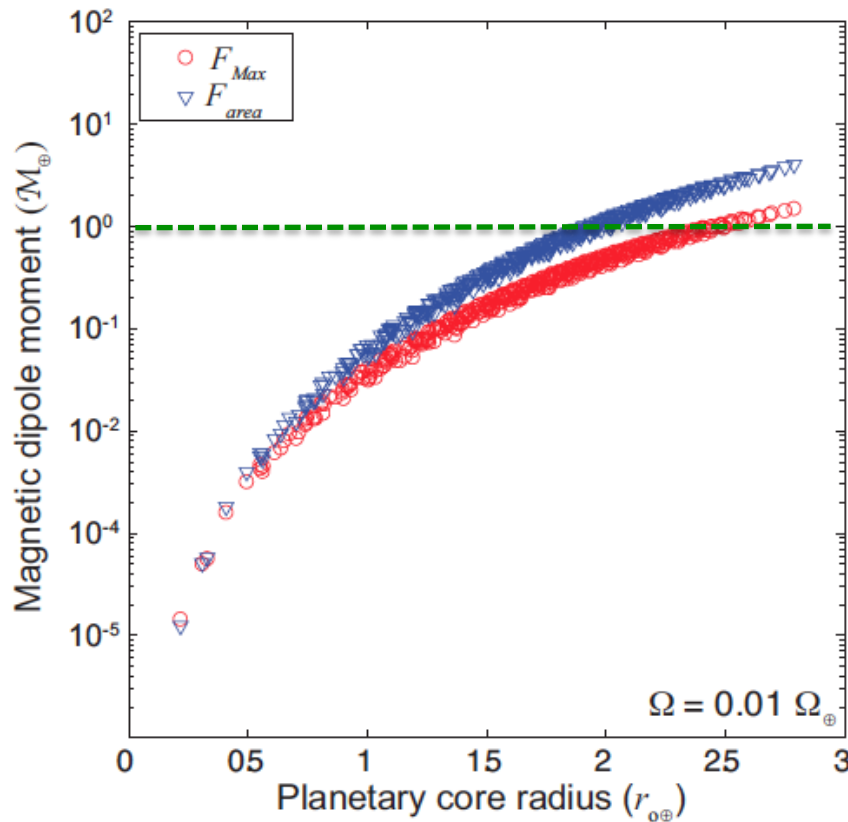
Planets in the Habitable Zone of M-dwarfs

- $\Omega \sim 0.01 - 0.02 \Omega_{\text{earth}}$ for $0.5 M_{\text{sun}}$ star.

- $\Omega \sim 0.24 - 0.41 \Omega_{\text{earth}}$ for $0.1 M_{\text{sun}}$ star.

○ Solution for F_{max} generating dipole (O&C 2006)

▽ Solution for $F \propto r_o^2$, multipole = $5 \times 10^{-2} M_{\text{dipolar}}$



Note that core radii range is equivalent to $0.5 - 12 M_{\text{earth}}$ planets, assuming same interior composition as Earth.

Summary

- The magnetic moment of a planet depends on its rotation rate, but also, on its chemical composition and the efficiency of convection in its interior (F)
- If a planet is rotating 'fast enough', Ω only marks if the dynamo is dipolar or multipolar, but magnetic moment strength will not explicitly depend on rotation.
- Some *rocky planets* might have strong magnetic fields, and therefore their surfaces will be protected against stellar and cosmic irradiation.
- In the particular case of planets in the habitable zone of M-dwarfs, even the slowest rotators might have magnetic dipolar moments stronger than Earth, and therefore have a strong enough magnetic field to shield their surface. This is most likely, however, for planets with $r_o \geq r_{o \text{ Earth}}$.

CAUTION:

- Our current models do not account for changes of F and D with age ([See poster H.08](#))
- Planets under extreme conditions, i.e. highly inhomogeneous heating or under very strong stellar winds, will have their magnetic field affected.
- This is still work in progress and a better understanding of the interior structure and energy transportation mechanisms in rocky planets is still necessary.