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The Electric Field Conjugation **Controlling Amplitude and Phase**

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Are there other Earth-like planets?



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Problem: Wavefront aberrations!

Phase aberrations

Amplitude aberrations







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EFC is a formalism of the correction problem allowing us to use various tools to find the solution

VS.



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All correction algorithms do the same thing...

DM plane

Electric Field Conjugation

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Find the shape of the DM such that its effect in the plane of interest negates the electric field M present in this plane due to the coronagraph and the aberrations

 $E_{abr+ideal}$

Plane of

interest

Linearize w.r.t actuators heights



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Electric Field Conjugation

How do we linearize the effect of the DM in the image plane?

Assume that the overall effect of the DM in the image plane is the sum of the effects of each of the actuators



The effect of the DM in the image plane will now be Ga, where a are the DM actuator heights.

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Electric Field Conjugation

 $\Re \overline{\{G\}}$ $\Re\left\{iE_{ab}\right\}$ $\bar{a} =$ $\Im\left\{iE_{ab}\right\}$ $\Im \{G\}$

 $G\bar{a} = iE_{ab}$

This guarantees a real valued solution for the DM actuators heights

 $= \arg\min_{\bar{a}\in X} \|E_{ab} + iG\bar{a}\|^2$ \overline{a}^*

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The EFC correction method requires the complex wavefront at the image plane...

 $D\overline{M(x,y)} = ?$

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The cosine spatial frequency determines the center location of the diversity region The spatial phase of the cosine determines the overall phase of the diversity

The sincs determine the general amplitude <u>shape of the diversity</u>

- The wavefront is reconstructed by applying 4 different shapes on the DM ("probes").
- The additional probes to the current DM shape is chosen such that the diversity is uniform over the region of interest with the ability to change the spatial phase.

The region in the image plane we wish to null

Image plane



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How EFC is related to other correction algorithms

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DM plane

Original

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Diffrence (10x)

Phase conjugation

DM plane

Reconstructed

. .

Sinusoids basis set (Fourier series) or Influence functions

LPF

Poyneer et. al 2004

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Speckle nulling

Trauger et. al 2004

$WG\bar{a} = iWE_{ab}$

If the system model is reduced to a single Fourier transform of an infinite aperture and the weighting function *W* reduces to isolated pixels that change their location according to the brightest peaks in the region of interest,



EFC = speckle nulling

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Energy minimization

Borde et. al 2005

 $\mathcal{E} = \left\| E_{ab} + i \overline{C\left\{\phi\right\}} \right\|^2$

 $\frac{\partial}{\partial \bar{a}} \mathcal{E} = 0$

Least squares solution

 $G\bar{a} + E_{ab}$

EFC

()

 $\arg\min_{\bar{a}\in X} \|E_{ab} + iC\{\phi\}\|^2.$ \overline{a}^*



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Some results

JPL's High Contrast Imaging Testbed (HCIT)

using a Lyot Coronagraph



 $6.5 * 10^{-10}$ in 10% light



UC Santa Cruz testbed





NASA Ames Coronagraph Laboratory

using a Phase Induced Amplitude Apodization Coronagraph



Ruslan Belikov, NASA Ames Coronagraph Laboratory

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JPL's High Contrast Imaging Testbed (HCIT)

using a Vector Vortex Coronagraph



Dimitri Mawet, JPL

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JPL's High Contrast Imaging Testbed (HCIT)

using a Shaped Pupil Coronagraph



Contrast: Bandwidth: IWA: 2.4 x 10⁻⁹ 10% @ 800nm 4 λ/D

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Summary

- EFC is a formalism of the correction problem that provides many tools to find a suitable solution.
- All the common correction algorithms, namely, phase conjugation, speckle nulling and energy minimization can be viewed as special cases of EFC.
- EFC has used very successfully on several testbeds using different coronagraphs